

# Rediscover Predictability: Information from the Relative Prices of Long-term and Short-term Dividends\*

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## Abstract

The ratio of long- to short-term dividend prices, “price ratio” ( $pr_t$ ), predicts annual market return with an out-of-sample  $R^2$  of 19%, subsuming the predictive power of price-dividend ratio ( $pd_t$ ). After controlling for  $pr_t$ ,  $pd_t$  predicts dividend growth with an out-of-sample  $R^2$  of 30%. Our results hold outside the U.S. An exponential-affine model shows that the key to our findings is the (lack of) persistence of expected dividend growth. We find the expected return is countercyclical and responds strongly to monetary policy shocks. As implied by ICAPM, shocks to  $pr_t$ , the expected-return proxy, are priced in the cross section.

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# 1 Introduction

Return and cash-flow predictability are at the core of asset pricing studies. Remarkably, a simple variable, the ratio of long- to short-term dividend prices (“price ratio”), brings new insights on both fronts. It predicts one-year stock market return with an out-of-sample  $R^2$  of 19%. The residual from projecting the price-dividend ratio on the price ratio predicts one-year dividend growth with an out-of-sample  $R^2$  of 30%. While enormous efforts have been made to study dividend strips (Binsbergen and Koijen (2017)), we are the first to show that their price ratio contains critical information on the *aggregate* market. Using the exponential affine framework of Lettau and Wachter (2007), we show that the key to understanding our findings is the (lack of) persistence in the expected dividend growth.

We further study the variation of expected return. In ICAPM (Merton (1973)), shocks to investment opportunities (e.g., the expected market return) are priced; so are shocks to adequate return predictors as expected-return proxies. Indeed, we find shocks to the price ratio are priced in the cross section of stocks. To the best of our knowledge, we are the first to conduct this economic test of return predictor. The estimated price of risk also implies a coefficient of relative risk aversion greater than one (Campbell (1993)). We demonstrate the risk of time-varying expected return by showing its response to monetary policy and its correlations with macroeconomy, financial intermediation capacity, uncertainty, and sentiment.

The return predictive power of the price ratio is also strong outside the U.S., and the variations of expected stock return across countries are almost perfectly synchronized in our sample period from 1988 to 2017.<sup>1</sup> Finally, we examine conditional predictability and find returns are more predictable during market downturns in both the U.S. and other countries.

We start by decomposing the total market valuation into the prices of long- and short-

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<sup>1</sup>Binsbergen, Brandt, and Koijen (2012) show that futures or option data can be used to calculate dividend strip prices. We use futures because they have a longer sample period.

term dividends, so the traditional price-dividend ratio is the sum of two components,

$$\frac{P_t}{D_t} = \frac{\text{Price of Long-term Dividends}}{D_t} + \frac{\text{Price of Short-term Dividends}}{D_t}.$$

As in [Binsbergen and Koijen \(2010\)](#) and [Kelly and Pruitt \(2013\)](#), we show in a state-space model that the two components may contain distinct information on future returns and dividends, so to extract more information beyond the log price-dividend ratio ( $pd_t = \ln(P_t/D_t)$ ), we calculate the log difference of this pair (i.e., the price ratio),

$$pr_t = \ln \left( \frac{\text{Price of Long-term Dividends}}{\text{Price of Short-term Dividends}} \right).$$

It is the term-structure slope of dividend trip prices, while  $pd_t$  captures the level. It also measures duration. We set “short-term” to be one year. With the value of one-year dividends in the numeraire,  $pr_t$  counts how many years of dividend value are there going forward.

$pr_t$  strongly predicts market return. A decrease of  $pr_t$  by one standard deviation adds 7.3% to the expected return over the next year. Annual forecasting delivers an out-of-sample  $R^2$  equal to 19.2%, which is three times the out-of-sample  $R^2$  of  $pd_t$  in our sample. Improvements mainly come from the variation of  $pr_t$  at higher frequencies, since  $pr_t$  is constructed from market prices that are more responsive to news than accounting variables (e.g., past dividends). This variability in return expectations is difficult to reconcile with asset pricing models (e.g., [Campbell and Cochrane \(1999\)](#), [Bansal and Yaron \(2004\)](#)). The market timing strategy using  $pr_t$  as signal delivers a Sharpe ratio of 0.84.

We establish the robustness of our prediction results in a number of ways. First, following [Hodrick \(1992\)](#), we adjust the standard error by taking into account the overlapping structure of annual returns. Second, we show that the autocorrelation of  $pr_t$  is 91.5%, lower than that of  $pd_t$  (98.7%), and that our estimate of predictive coefficient is robust to [Stambaugh \(1999\)](#) bias.<sup>2</sup> Third, we conduct several out-of-sample tests (e.g., [Clark and](#)

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<sup>2</sup>[Ferson, Sarkissian, and Simin \(2003\)](#) show a spurious regression bias when both the proposed predictor

McCracken (2001)). Finally, we also show that in terms of in-sample  $R^2$ , out-of-sample  $R^2$ , and Hodrick (1992) t-statistic,  $pr_t$  outperforms the existing predictors.<sup>3</sup>

The price ratio also predicts return outside the United States. We run a panel predictive regression with  $pr_t$  of each country as the predictor. The coefficient is significant and close in magnitude to the coefficient in the U.S. Interestingly, once we add time fixed effect to absorb the global factor in the realized returns of each country, return predictability disappears. This suggests that the variations of expected stock return are synchronized across countries in our sample period, offering new evidence on global market integration.

To understand our findings, we impose more structure on the state-space model following Lettau and Wachter (2007). The prices of dividends at different horizons are exponential-affine functions of the expected return and expected dividend growth, with the latter's coefficient depending on the specific horizon through the persistence of expected dividend growth. If and only if the persistence is zero, the prices of all dividends have the same coefficient on the expected dividend growth, and thus, the log difference between long- and short-term dividend prices, our price ratio, becomes a function of only the expected return, i.e., a perfect return predictor. Then  $pr_t$  outperforms  $pd_t$  in return prediction precisely because  $pd_t$  mixes the information on both the expected return and expected dividend growth (Menzly, Santos, and Veronesi (2004); Lettau and Ludvigson (2005)).

Can we use  $pr_t$  to tease out the information on expected dividend growth in  $pd_t$ ? We project  $pd_t$  on  $pr_t$  to remove the information on the expected return and use the residuals to forecast dividend growth. The out-of-sample  $R^2$  is 30%. In contrast,  $pd_t$  itself does not predict dividends in our sample, as already documented (Chen (2009); Cochrane (2011); Chen, Da, and Priestley (2012)).<sup>4</sup> Using the  $pd_t$  residual as a proxy for the expected dividend growth, we find the autocorrelations are close to zero across countries. The persistence of

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and the underlying expected return are persistent.  $pr_t$  also passes a recent test proposed by Kostakis, Magdalinos, and Stamatogiannis (2015) that explicitly addresses the issue of predictor persistence.

<sup>3</sup>Previously studied predictors typically perform well in-sample but become insignificant out-of-sample, often performing worse than forecasts based on the historical mean (Goyal and Welch (2007)).

<sup>4</sup>Golez and Koudijs (2018) find that  $pd_t$  predicts dividend growth in the pre-1945 sample (see also Kojen and Van Nieuwerburgh (2011)).

expected dividend growth is also weak in a state-space model fitted to the realized dividends.

To obtain a better return predictor, recent studies modify  $pd_t$  to eliminate the variation of expected dividend growth (Campbell and Thompson (2008); Lacerda and Santa-Clara (2010); Da, Jagannathan, and Shen (2014)). Golez (2014) adjusts  $pd_t$  using the expected dividend growth implied in derivative markets. We use derivatives to construct dividend strips, and rearrange the horizon-specific components of  $pd_t$ 's to form a return predictor. Moreover, the  $pr_t$ -adjusted  $pd_t$  (residual) strongly predicts dividend growth, adding to the literature on cash flow predictability (Larrain and Yogo (2008); Binsbergen, Hueskes, Koijen, and Vrugt (2013); Chen, Da, and Zhao (2013)). Many have shown that cash-flow expectation is important for understanding key asset pricing patterns (Bansal and Yaron (2004); Beeler and Campbell (2012); Belo, Collin-dufresne, and Goldstein (2015); Collin-Dufresne, Johannes, and Lochstoer (2016)). We further this line of research by pinpointing the return predictive power of  $pr_t$  to the persistence of expected dividend growth.

After establishing the evidence on return predictability, we proceed to examine the risk of time-varying expected return. In particular, we test whether shocks to  $pr_t$  are priced in the cross section of stocks. In ICAPM, shocks to the expected return is priced; so should the shocks to  $pr_t$  if it is an adequate proxy for the expected return. Therefore, the cross-sectional asset pricing exercise is an economic test of  $pr_t$  as a return predictor. To the best of our knowledge, we are the first to conduct this test in the literature of return predictability.

We find a significant and negative price of  $pr_t$  risk in the cross-section. Consider two assets with one standard-deviation difference in their  $pr_t$  beta. The average return of high-beta asset is 2.1% lower. It delivers higher returns when  $pr_t$  is high and the expected market return is low. This implies a coefficient of relative risk aversion greater than one – hedging against the deterioration in investment opportunities is more desirable than having more wealth to profit from improved investment opportunities.<sup>5</sup> Our model for cross-section asset

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<sup>5</sup>Note that here we focus on the first moment of market return. It is likely that the investment opportunity improves because the volatility, or covariance with the marginal investors' marginal value of wealth, declines even more than the expected return. However, empirically, the evidence on the correlation between the expected return and expected volatility is mixed (Guo and Whitelaw (2006); Lettau and Ludvigson (2010)).

pricing is exactly the two-factor structure of [Campbell \(1993\)](#) that incorporate both the market excess return and the revisions of expected future returns (i.e.,  $pr_t$  shocks). We show that the price of market risk is better identified in the cross section and estimated to be 1% per month, once  $pr_t$  shocks are added as the second risk factor.

To further characterize the risk of time-varying expected return, we examine how the expected return (proxied by  $pr_t$ ) responds to monetary policy shocks. The impact of monetary policy on asset prices continues attracting enormous attention ([Lucca and Moench \(2015\)](#); [Campbell, Pflueger, and Viceira \(2015\)](#); [Drechsler, Savov, and Schnabl \(2017\)](#)). Specifically, we project  $pr_t$  on the unanticipated changes in the Federal Funds rate ([Cochrane and Piazzesi \(2002\)](#)), and find a negative coefficient, suggesting that the expected return declines during monetary expansions. In contrast,  $pd_t$ , the common proxy for the expected return (e.g., [Muir \(2017\)](#)), does not respond to monetary policy shocks. We also find that monetary easing is associated with a higher contemporaneous realized return, in line with [Thorbecke \(1997\)](#) and [Bernanke and Kuttner \(2005\)](#). Finally, we use the  $pr_t$ -adjusted  $pd_t$  (residual) to proxy the expected dividend growth, and find it does not respond to monetary policy shocks. In sum, stock price rises in response to expansionary monetary policy, but since the expected return declines, such increase tends to revert over the next year.

Next, we show that the expected stock return is countercyclical. The expected return is positively correlated with unemployment and negatively correlated with consumption growth, fixed investment, and inflation. The expected return shows a very strong negative correlation with broker-dealer leverage ([Adrian and Shin \(2010\)](#)) and intermediaries' net worth (inversely proxied by the broker-dealer CDS spreads). Interestingly, the expected return declines when VIX rises, which has important implications on the dynamics of risk-return trade-off ([Lettau and Ludvigson \(2010\)](#); [Moreira and Muir \(2017\)](#)). Finally, the expected return tends to be low when the sentiment ([Baker and Wurgler \(2006\)](#)) is high, even after the sentiment index is orthogonalized to other macro variables.

## 2 Return Prediction

In this section, we motivate  $pr_t$ , the ratio of long- to short-term dividend prices, as a return predictor in a state-space model, and document its superior predictive power in comparison with  $pd_t$ , the price-dividend ratio (Table 2), and other predictors (Figure 3). Moreover, the residuals from projecting  $pd_t$  on  $pr_t$  strongly predict dividends (Table 3). Next, following Lettau and Wachter (2007), we impose more structure on the state-space model to obtain economic intuitions behind our results. Finally, Table 4 and Figure (4) exhibit the return predictive power of  $pr_t$  across countries.

### 2.1 Decomposing the price-dividend ratio

**A motivating model.** We consider a state-space model of return and cash flow (Cochrane (2008)). Let  $\mu_t$  denote the expected return from time  $t$  to  $t+1$ , and  $g_t$  the expected dividend growth. We assume that the information set at time  $t$  is summarized by factors  $F_t$ , and the expected return and dividend growth are given by the following linear system<sup>6</sup>

$$\begin{aligned}\mu_t &= \gamma_0 + \boldsymbol{\gamma}' F_t, \\ g_t &= \delta_0 + \boldsymbol{\delta}' F_t.\end{aligned}\tag{1}$$

Following Binsbergen and Koijen (2010) and Kelly and Pruitt (2013), we impose a VAR(1) structure on the factors

$$F_{t+1} = \mathbf{\Lambda} F_t + \xi_{t+1},\tag{2}$$

where  $\mathbf{\Lambda}$  is a constant matrix with conformable dimensions. Let  $pd_t$  denote the log price-dividend ratio of the market at time  $t$ ,  $\Delta d_{t+j}$  the one-period dividend growth from  $t+j-1$  to  $t+j$ , and  $r_{t+j}$  the market return from  $t+j-1$  to  $t+j$ . We can use the present value

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<sup>6</sup>A non-linear model is more general, but this model is only used for motivation, not estimation.

identity of [Campbell and Shiller \(1988\)](#), i.e.,

$$pd_t = \frac{\kappa}{1-\rho} + \sum_{j=1}^{\infty} \rho^{j-1} \mathbb{E}_t [\Delta d_{t+j} - r_{t+j}], \quad (3)$$

to solve the price-dividend ratio as a function of  $F_t$ :

$$pd_t = \phi_0 + \boldsymbol{\phi}' F_t, \quad (4)$$

where  $\phi_0$  is equal to  $\frac{\kappa + \delta_0 - \gamma_0}{1-\rho}$ , and  $\boldsymbol{\phi}'$  is equal to  $\boldsymbol{\iota} \boldsymbol{\psi}' (1 - \rho \boldsymbol{\Lambda})^{-1}$  with  $\boldsymbol{\iota}$  being a row vector  $(1, -1)$  and  $\boldsymbol{\psi}$  equal to  $(\boldsymbol{\delta}', \boldsymbol{\gamma}')$ . Derivation details are in Appendix I.

By linking the price-dividend ratio to future returns and dividend growth, the present value identity serves as a motivation to use  $pd_t$  as a predictor. The factor structure reveals that any predictive power of  $pd_t$  comes from a particular linear combination of  $F_t$ , i.e., a compression of information. Next, we decompose the price-dividend ratio into different components with distinct information content from  $F_t$ .

**The price ratio.** Let  $S_t$  denote ex-dividend market value,  $D_t$ , the dividend at  $t$ , and  $r_t$ , the short rate. Under the no-arbitrage condition, there exists a risk-neutral measure,  $Q$ , such that the stock price is the expected sum of discounted future dividends:

$$S_t = \sum_{\tau=1}^{\infty} \mathbb{E}_t^Q \left[ e^{-\int_t^{t+\tau} r_s ds} D_{t+\tau} \right] = \underbrace{\sum_{\tau=1}^T \mathbb{E}_t^Q \left[ e^{-\int_t^{t+\tau} r_s ds} D_{t+\tau} \right]}_{P_t^{T-}} + \underbrace{\sum_{\tau=T+1}^{\infty} \mathbb{E}_t^Q \left[ e^{-\int_t^{t+\tau} r_s ds} D_{t+\tau} \right]}_{P_t^{T+}},$$

where  $P_t^{T-}$  is the price of dividends paid from  $t+1$  to  $t+T$ , i.e., the price of short-term dividends, and  $P_t^{T+}$  is the price of long-term dividends. Dividing both sides by  $D_t$ , we obtain a decomposition of price-dividend ratio into two valuation ratios, i.e., the ratio of short-term dividend price to  $D_t$ , and the ratio of long-term dividend price to  $D_t$ :

$$\frac{S_t}{D_t} = \frac{P_t^{T-}}{D_t} + \frac{P_t^{T+}}{D_t}. \quad (5)$$



Since the price-dividend ratio is the sum of these two ratios, we construct our predictor by taking the (log) difference so that it contains different information from the pair:

$$pr_t = \ln \left( \frac{P^{T+}}{D_t} \right) - \ln \left( \frac{P^{T-}}{D_t} \right) = \ln \left( \frac{P^{T+}}{P^{T-}} \right) \quad (6)$$

The *price ratio*, “ $pr_t$ ”, is the log ratio of long- to short-term dividend prices. We use the log difference instead of level difference to get rid of  $D_t$ , so that  $pr_t$  only contains market prices, and thereby, captures the variation of expected return at relatively higher frequencies than  $pd_t$ . In the literature, and as in this paper, the current dividend  $D_t$  is measured by the sum of dividends paid in the previous year to remove seasonality (Fama and French (1988)), so through  $D_t$ ,  $pd_t$  tends to be more slow-moving than  $pr_t$ .

Together,  $pd_t$  and  $pr_t$  should reflect the information content of  $\left( \frac{P^{T+}}{D_t}, \frac{P^{T-}}{D_t} \right)$ . We will show that  $pr_t$  is a better way to extract information about future returns. Intuitively, the valuation of long-term dividends is more sensitive to discount rate movements than the valuation of short-term dividends. The ratio of the former to the latter tends to increase when the discount rate declines, and decrease when the discount rate rises.

To construct  $pr_t$ , we need the short-term dividend price and the long-term dividend price, which are calculated using data of S&P 500 futures and zero-coupon bonds (ZCBs) as follows.<sup>7</sup> Consider any  $T > 0$ . To calculate  $P_t^{T+}$  from futures price and ZCB price, we make the assumption that  $\int_t^{t+T} r_s ds$  and  $S_{t+T}$  are not correlated under  $Q$  measure, so we have

$$\begin{aligned} P_t^{T+} &= \sum_{\tau=T+1}^{\infty} \mathbb{E}_t^Q \left[ e^{-\int_t^{t+T} r_s ds} e^{-\int_{t+T}^{t+\tau} r_s ds} D_{t+\tau} \right] = \mathbb{E}_t^Q \left[ e^{-\int_t^{t+T} r_s ds} \underbrace{\mathbb{E}_{t+T}^Q \left[ \sum_{\tau=T+1}^{\infty} e^{-\int_{t+T}^{t+\tau} r_s ds} D_{t+\tau} \right]}_{S_{t+T}} \right] \\ &= \underbrace{\mathbb{E}_t^Q \left[ e^{-\int_t^{t+T} r_s ds} S_{t+T} \right]}_{ZCB_t^T} = \underbrace{\mathbb{E}_t^Q \left[ e^{-\int_t^{t+T} r_s ds} \right]}_{ZCB_t^T} \mathbb{E}_t^Q [S_{t+T}]. \end{aligned} \quad (7)$$

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<sup>7</sup>Figure 7 in the appendix shows that  $pr_t$  constructed from futures data has 88% correlation with  $pr_t$  constructed from option data in Binsbergen, Brandt, and Koijen (2012).

Therefore, we can calculate  $P_t^T$  directly from the price of ZCB that matures in  $T$  periods,  $ZCB_t^T$ , and futures price that is the Q-expectation of future stock price (Duffie (2001)).

## 2.2 Predicting return

**Data and summary statistics.** We use monthly data of S&P 500 futures (source: Bloomberg) and zero-coupon bond prices (source: Fama-Bliss database) from January 1988 to June 2017 to construct  $pr_t$ .<sup>8</sup> The sample starts in 1988 to have a sufficiently liquid futures market.<sup>9</sup> Also, after the market crash of October 1987, regulators overhauled several trade-clearing protocols.<sup>10</sup>  $pd_t$  is the month-end price-dividend ratio of S&P 500 index (source: Bloomberg). We set  $T$  equal to one year, so  $pr_t$  is the log ratio of price of dividends paid beyond the coming year to the price of dividends paid within the coming year. Accordingly, we focus on forecasting the return of S&P 500 index at the one-year horizon but also report the forecasting results at the one-month horizon in the appendix.

Table 1 reports the summary statistics of  $pr_t$ , and the log price-dividend ratio  $pd_t$  for comparison. We can interpret  $pr_t$  as a measure of duration. Its median value, 3.992, translates into 54.2 after taking exponential, meaning that the valuation of dividends two years onward is 54.2 times the valuation of dividends in the next year. In other words, the market has a *valuation duration* of a total 55.2 years.  $pr_t$  has a wide range of variation, with a minimum of 2.677 (i.e., 15.5 years) right before the 1990-1991 recession (Jun. 1990) and a maximum of 6.631 (i.e., 759.2 years) near the end of the dot-com boom (Nov. 2000).

$pr_t$  has a lower one-month autocorrelation (“ $\rho$ ”) than  $pd_t$ . The persistence of predictors

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<sup>8</sup>We obtain the daily settlement prices for the S&P 500 futures. For return prediction, we use month-end data. Later, we use daily data to analyze the impact of monetary policy on the expected return. The available futures maturities vary over time, so to obtain constant maturities, we apply the shape-preserving piecewise cubic interpolation to complete the futures curve. The results from linear interpolation are similar.

<sup>9</sup>Wang, Michalski, Jordan, and Moriarty (1994) identify structural changes of liquidity in the S&P 500 futures market in the pre-1987 period, during the market crash, and in the post-1987 period.

<sup>10</sup>The stock market crash in October 1987 reveals anomalous trading behavior in the futures market that was largely driven by portfolio insurance (Brady Report (1988)). According to the New York Stock Exchange’s current website: “In response to the market breaks in October 1987 and October 1989, the New York Stock Exchange instituted circuit breakers to reduce volatility and promote investor confidence. By implementing a pause in trading, investors are given time to assimilate incoming information and the ability to make informed choices during periods of high market volatility.”

Table 1: Summary Statistics

This table reports the number of observations, mean, standard deviation, minimum, maximum, quartiles, and first-order (one-month) autocorrelation ( $\rho$ ) of our predictor,  $pr_t$  (the ratio of long-term dividend price to short-term dividend price) and  $pd_t$  (the price-dividend ratio). The correlation matrix is shown at the end of the table. Using Equation (7), we construct long-term dividend price from data of S&P 500 futures price and zero-coupon bond price (source: Bloomberg), and short-term dividend price is the difference between S&P 500 index value and long-term dividend price.  $pd_t$  is the month-end price-dividend ratio of S&P 500 index (source: Bloomberg).

	obs	mean	std	min	25%	50%	75%	max	$\rho$	corr.	$pr$	$pd$
$pr$	348	3.992	0.531	2.677	3.630	3.992	4.195	6.631	0.915		1.000	
$pd$	348	3.873	0.307	3.241	3.594	3.887	4.052	4.551	0.987		0.874	1.000

is a major concern in the literature on return forecasting, especially due to the associated small-sample bias (Nelson and Kim (1993); Stambaugh (1999)) and spurious regression when the underlying expected return is persistent (Ferson, Sarkissian, and Simin (2003)).

The correlation between  $pr_t$  and  $pd_t$  is 0.87. As shown in the cross-spectrum in Figure 1, the high correlation is mainly from low-frequency movements. When forecasting the market return, we will consider  $pd_t$  and  $pr_t$  separately as univariate predictors, and also examine the predictive power of their components orthogonalized to each other.

**Inference and forecasting evaluation.** We run the following regression to predict one-year return:

$$r_{t,t+12} = \alpha + \beta x_t + \epsilon_{t,t+12}, \quad (8)$$

where  $x_t$  is a predictor. Twelve-month forecasts use overlapping monthly data, so we adjust our standard errors to reflect the dependence that overlap introduces into error terms. Following Cochrane and Piazzesi (2002), we report Newey and West (1987) standard errors with 18 lags to account for the moving-average structure induced by overlap. Besides, we also calculate Hodrick (1992) standard errors. Hodrick (1992) shows that GMM-based autocovariances correction (e.g., Newey and West (1987)) can have poor small-sample properties. Related to the serial correlation in errors, another concern is the persistence of predictor that induces bias in  $\beta$  estimate. We report the estimate adjusted for Stambaugh (1999) bias. In

the appendix, we report the IVX-Wald test of predictive coefficient in [Kostakis, Magdalinos, and Stamatogiannis \(2015\)](#) that accounts for the persistence of predictor (Table 16).

The adjusted  $R^2$  measures in-sample fitness. Several studies have raised concerns over out-of-sample performances of return predictors ([Bossaerts and Hillion \(1999\)](#); [Goyal and Welch \(2007\)](#)). To address these issues, we report the out-of-sample  $R^2$  and two formal tests of out-of-sample performances. We calculate out-of-sample forecasts as a real-time investor, using data up to time  $t$  in the predictive regression to estimate  $\beta$ , which is then multiplied by the time- $t$  value of the predictor to form the forecast. Out-of-sample forecasting start from December 1997, when we have at least ten years of data. Out-of-sample  $R^2$  is

$$R_{OOS}^2 = 1 - \frac{\sum_t (r_{t,t+12} - \hat{r}_{t,t+12})^2}{\sum_t (r_{t,t+12} - \bar{r})^2},$$

where  $\hat{r}_{t,t+12}$  is the forecast value and  $\bar{r}$  is the average of twelve-month returns (the first is January-December 1998). The out-of-sample  $R^2$  lies in the range  $(-\infty, 1]$ , where a negative number means that a predictor provides a less accurate forecast than the historical mean.

We report the p-value of two tests of out-of-sample performance, “*ENC*” and “*CW*”. *ENC* is the encompassing forecast test derived by [Clark and McCracken \(2001\)](#), which is widely used in the forecasting literature. We test whether the predictor has the same out-of-sample forecasting performance as the historical mean, and compare the value of the statistic with critical values calculated by [Clark and McCracken \(2001\)](#) to obtain a range of p-value. Besides, [Clark and West \(2007\)](#) adjust the standard MSE t-test statistic to produce a modified statistic (*CW*) that has an asymptotic distribution well approximated by the standard normal distribution, so for *CW*, we report the precise p-value.

**One-year return prediction.** Table 2 presents the results of annual return forecasting. Column (1) shows that our price ratio,  $pr_t$ , demonstrates a striking degree of predictability for one-year returns. The in-sample implementation generates a predictive  $R^2$  reaching

Table 2: One-year Return Prediction

This table reports the results of predictive regression (Equation (8)). The left-hand side variable is the return of S&P 500 index in the next twelve months. We consider four the right-hand side variables (i.e., predictors),  $pr_t$ ,  $pd_t$ , the residuals of  $pr_t$  after projecting on  $pd_t$  ( $\epsilon_t^{pr}$ ), and the residuals of  $pd_t$  after projecting on  $pr_t$  ( $\epsilon_t^{pd}$ ), and the results are reported in Column (1) to (4) respectively. The  $\beta$  estimate is shown followed by [Newey and West \(1987\)](#) t-statistic (with 18 lags), [Hodrick \(1992\)](#) t-statistic, the coefficient adjusted for [Stambaugh \(1999\)](#) bias, and the in-sample adjusted  $R^2$ . We run the regression monthly. Starting from December 1997, we form out-of-sample forecasts of return in the next twelve months by estimating the regression with data up to the current month, and use the forecasts to calculate out-of-sample  $R^2$ , ENC test ([Clark and McCracken \(2001\)](#)), and the p-value of CW test ([Clark and West \(2007\)](#)).

	$pr_t$	$pd_t$	$\epsilon_t^{pr}$	$\epsilon_t^{pd}$
$\beta$	-0.138	-0.193	-0.160	0.098
<i>Newey-West t</i>	(-4.718)	(-3.575)	(-2.233)	(0.848)
<i>Hodrick t</i>	[-2.743]	[-2.217]	[-1.677]	[0.613]
<i>Stambaugh bias adjusted <math>\beta</math></i>	-0.127	-0.182	-0.152	0.107
$R^2$	0.238	0.157	0.076	0.010
OOS $R^2$	0.192	0.068	0.048	-0.043
ENC	4.052	1.776	2.249	-0.241
$p(ENC)$	< 0.01	< 0.10	< 0.05	> 0.10
$p(CW)$	0.007	0.041	0.111	0.348

23.8%.<sup>11</sup> Out-of-sample forecasts are similarly powerful, delivering an  $R^2$  of 19.2%, significantly outperforming the historical mean as shown by the p-values of  $ENC$  and  $CW$ .

[Campbell and Thompson \(2008\)](#) calculate a long-term estimate of the market Sharpe ratio (“ $s_0$ ”) equal to 0.374. In the Appendix (see also [Kelly and Pruitt \(2013\)](#)), we show that the Sharpe ratio of a mean-variance investor’s market-timing strategy (“ $s_1$ ”) is related to  $s_0$  through  $s_1 = \sqrt{\frac{s_0^2 + R^2}{1 - R^2}}$ , where  $R^2$  is the out-of-sample  $R^2$  when  $pr_t$  is used as annual return predictor. Therefore, an out-of-sample  $R^2$  of 19.2% implies a Sharpe ratio of 0.84, suggesting that the stochastic discount factor is more volatile than implied by the common asset pricing models (e.g., [Campbell and Cochrane \(1999\)](#) and [Bansal and Yaron \(2004\)](#)).

The predictive coefficient is also large in magnitude, indicating high volatility of the

<sup>11</sup>[Foster, Smith, and Whaley \(1997\)](#) discuss the potential data mining issues that arise from researchers searching among potential regressors. They derive a distribution of the maximal  $R^2$  when  $k$  out of  $m$  potential regressors are used as predictors, and they calculate the critical value for  $R^2$ , below which the prediction is not statistically significant. For instance, when  $m = 50$ ,  $k = 5$ , and the number of observations is 250, the 95% critical value for  $R^2$  is 0.164.

expected return. A decrease of  $pr_t$  by one standard deviation adds 7.3% to the expected return. Both Newey-West and Hodrick t-statistics are significant at least at the 1% level.

Column (2) reports the results for  $pd_t$ . The return predictive power of  $pd_t$  is weaker than  $pr_t$  in all aspects. Its in-sample and out-of-sample  $R^2$  is almost half of those of  $pr_t$ . Its coefficient is smaller and less significant. Moreover, an decrease in  $pd_t$  by one standard deviation leads to an increase of expected return by 5.8%, implying a less volatile expected return than the one from  $pr_t$ . In the appendix, the IVX-Wald test of [Kostakis, Magdalinos, and Stamatogiannis \(2015\)](#) in Table 16 also supports the significant predictive power of  $pr_t$  while rejects the predictive power of  $pd_t$ .

Since  $pr_t$  and  $pd_t$  are highly correlated, we regress  $pr_t$  on  $pd_t$  to obtain residuals,  $\epsilon_t^{pr}$ , that are orthogonal to  $pd_t$  in sample, and use the residual as a predictor to evaluate the return predictive power of  $pr_t$  beyond  $pd_t$ . The results are reported in Column (3).  $pr_t$  residual still delivers in-sample and out-of-sample  $R^2$  of 9%, showing a very strong incremental predictive power of  $pr_t$ . Note that to obtain out-of-sample forecasts, at time  $t$  we obtain the residuals  $\epsilon_t^{pr}$  only using data up to  $t$  from projecting  $pr_t$  on  $pd_t$ , and then use these residuals to estimate the predictive coefficient. In Column (4),  $\epsilon_t^{pd}$ , the residuals from projecting  $pd_t$  on  $pr_t$ , does not show return predictive power, which again confirms  $pr_t$  as the superior predictor.

**Variation in the frequency domain.** To better understand the incremental predictive power of  $pr_t$  beyond  $pd_t$ , Panel A of Figure 1 shows the spectrum of  $pr_t$ ,  $pd_t$ , and  $\epsilon_t^{pr}$  (residuals from projecting  $pr_t$  on  $pd_t$ ). The area under spectrum (integral) is the variance, so the spectrum graph provides a variance decomposition in the frequency domain. On the horizontal axis, instead of showing the frequencies from zero to  $\pi$ , we mark the corresponding length of cycle for easier interpretation. Consistent with the fact that  $pr_t$  is less persistent than  $pd_t$ , its variation is also more concentrated in higher frequencies than the variation of  $pd_t$ . Once orthogonalized to  $pd_t$ ,  $pr_t$ 's residual varies mainly at annual or higher frequencies.

Panel B plots the cross-spectrum of  $pr_t$  and  $pd_t$ . The integral is the covariance between  $pr_t$  and  $pd_t$ . The correlation between  $pr_t$  and  $pd_t$  is mainly from low frequencies. This again

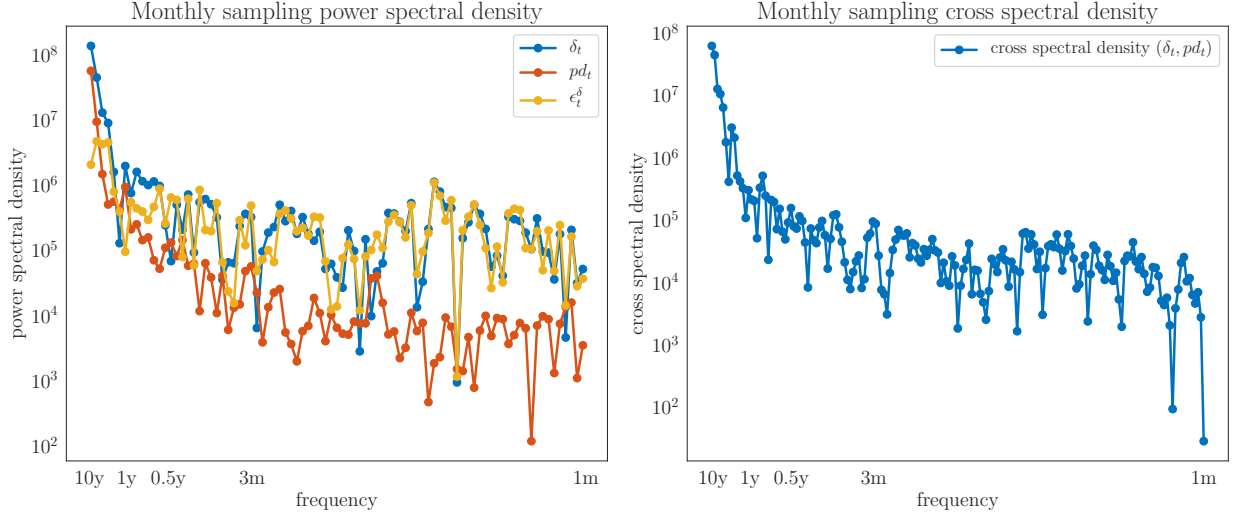


Figure 1: **Spectrum and Cross-spectrum of Price Ratio and Price-Dividend Ratio.** The left panel shows the estimated spectral densities of  $pr_t$ ,  $pd_t$ , and the residuals of  $pr_t$  after projecting on  $pd_t$  ( $\epsilon_t^{pr}$ ). The integral of spectral density is equal to the variance. The horizontal line starts from zero and ends at  $\pi$ , but labeled with the corresponding length of a cycle. The right panel shows the cross-spectral density between  $pr_t$  and  $pd_t$ . The integral of cross-spectral density is equal to the covariance.

indicates that it is the high-frequency variation in  $pr_t$  that adds the return predictive power.

**Expected return dynamics.** Figure 2 plots the realized market return, the in-sample fitted value, and the out-of-sample forecast. The horizontal axis shows the *beginning date* of each twelve-month return, i.e., the time when the expectation is formed. As before, out-of-sample forecasts at time  $t$  only uses data up to time  $t$  to estimate the predictive coefficient. The out-of-sample forecasting starts from December 1997 when we have at least ten years. We plot separately the expected return from  $pr_t$  and that from  $pd_t$ . For both predictors, in-versus out-of-sample estimates of the expected return are fairly consistent with each other.

The first message from this graph is that in contrast to  $pd_t$ , which produces a smooth expected return over time,  $pr_t$  reveal variations of expected return at higher frequencies. This observation is consistent with the Figure 1, and the fact that  $pr_t$  is less persistent.  $pr_t$  is more responsive to news, as it contains only the market prices of short- and long-term dividends. In contrast,  $pd_t$  has a denominator that is a rolling accumulation of past dividends.

Our sample has three recession periods (shaded). Near the end of each recession, the expected return tends to increase, which is in line with studies that document countercyclical

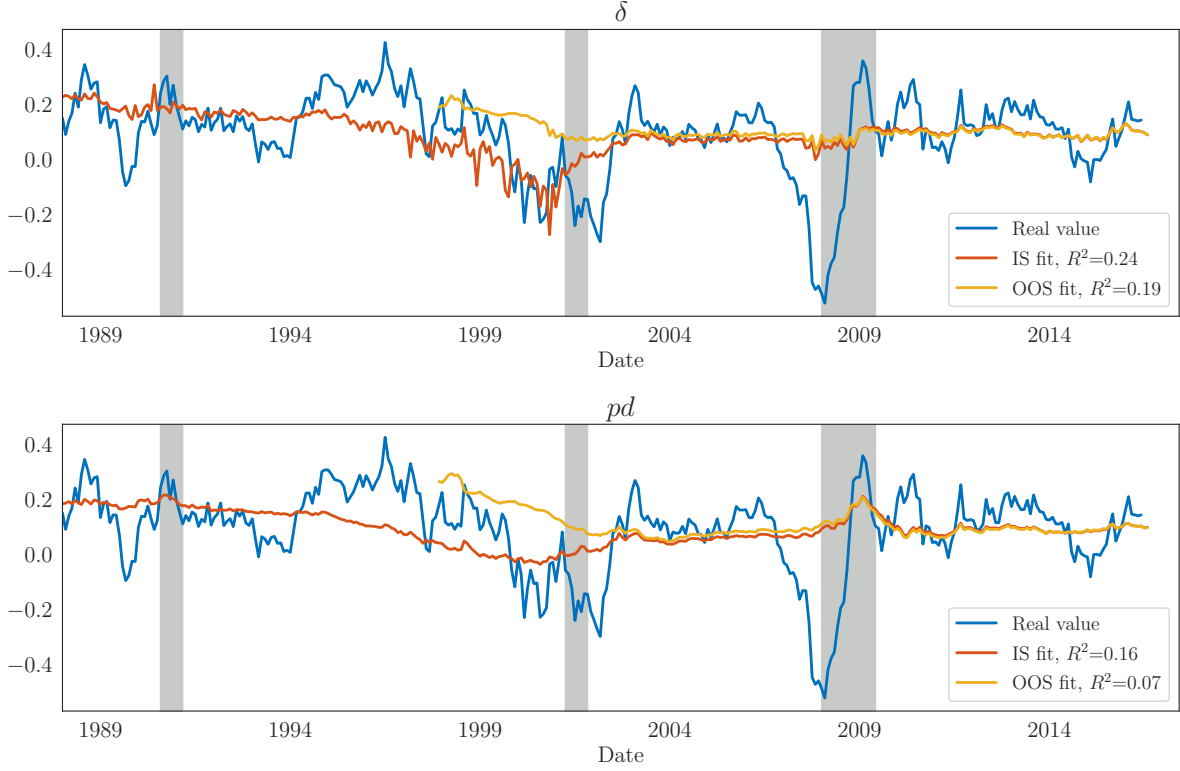


Figure 2: **Expected Return Dynamics.** The graph reports the in-sample fitted value, the out-of-sample forecast, and the realized twelve-month return of S&P 500 index. The date on horizontal axis is the beginning date of the twelve-month period. Starting from December 1997, we form out-of-sample forecasts of return in the next twelve months by estimating the predictive regression with data up to the current month.

equity premium (e.g., [Fama and French \(1989\)](#); [Ferson and Harvey \(1991\)](#)). Related to the high-frequency variation revealed by  $pr_t$ , such increase is sharper for the estimate from  $pr_t$  than that from  $pd_t$ . Another interesting finding is that in the year leading up to the dot-com burst and the global financial crisis, the expected return from  $pr_t$  exhibits slump, while the expected return from  $pd_t$  barely moves. Also, the expected return from  $pr_t$  starts to recover near the end of these recessions, while the expected return from  $pd_t$  only shows a smooth upward trend throughout the recession. These new patterns from  $pr_t$  as the expected return proxy are informative for constructing asset pricing and macroeconomic models.

**Other predictors.** How does  $pr_t$  compare with predictors proposed in the existing literature? Figure 3 compares the predictive accuracy of  $pr_t$  with that of an extensive collection

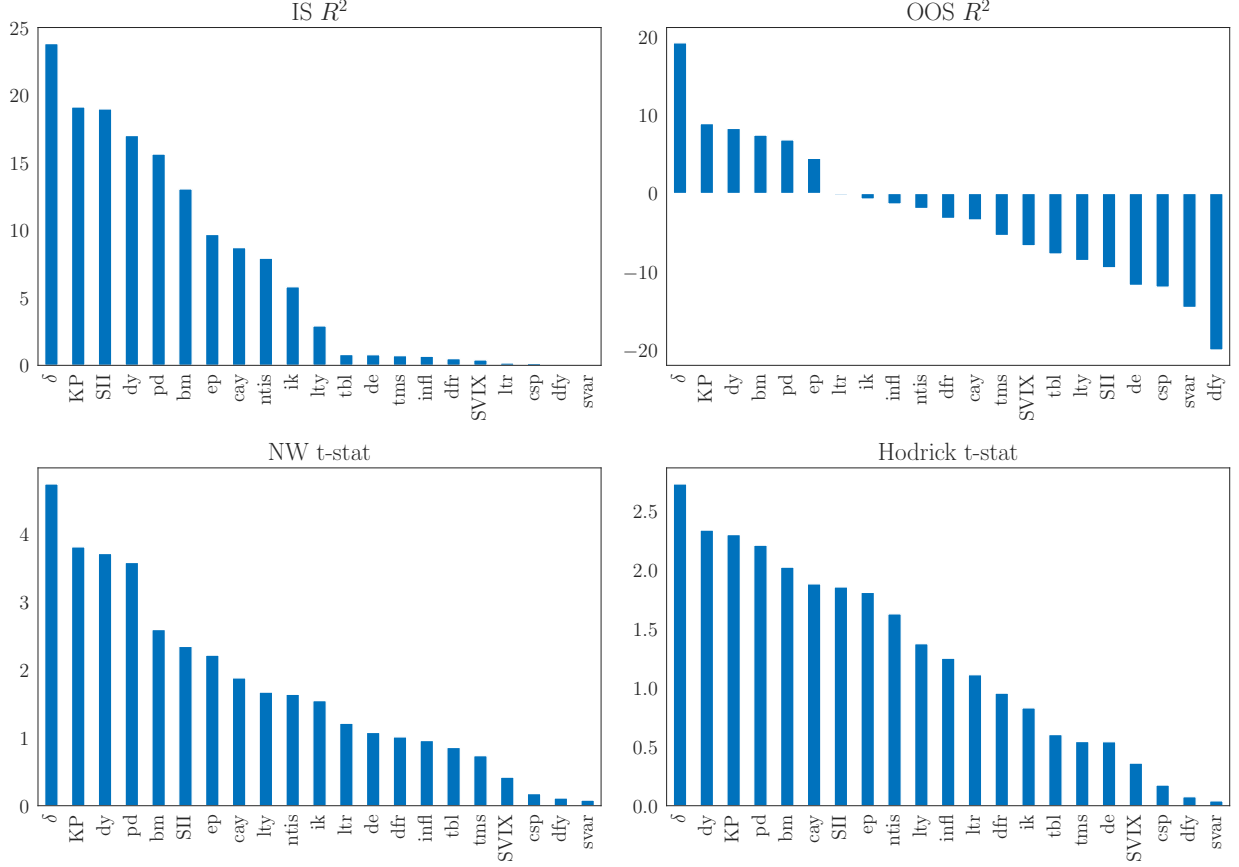


of other predictors. In the caption, we document the sources. We consider 18 alternative predictors including the price-dividend ratio (pd), the default yield spread (dfy), the inflation rate (infl), stock variance (svar), the cross-section premium (csp), the dividend payout ratio (de), the long-term yield (lty), the term spread (tms), the T-bill rate (tbl), the default return spread (dfr), the dividend yield (dy), the long-term rate of return (ltr), the earnings-to-price ratio (ep), the book to market ratio (bm), the investment-to-capital ratio (ik), the net equity expansion ratio (ntis), the percent equity issuing ratio (eqis), the consumption-wealth-income ratio (cay), the short interests index (SII), the option-implied lower bound of 1-year equity premium (SVIX) and [Kelly and Pruitt \(2013\)](#) factor extracted from 100 book-to-market and size portfolios (kp).

Most predictors are studied in a return predictability survey by [Goyal and Welch \(2007\)](#), and others are proposed more recently, such as short interest index (“SII” in [Raspach, Ringgenberg, and Zhou \(2016\)](#)) and SVIX ([Martin \(2017\)](#)). We report in-sample (“IS”)  $R^2$ , out-of-sample (“OOS”)  $R^2$ , the absolute values of Newey-West and Hodrick  $t$ -statistics. In our sample,  $pr_t$  outperforms other predictors in all aspects. Among the alternatives, the price-dividend ratio and the book-to-market ratio (“bm”) deliver the most successful univariate forecasts, while others either fail in the out-of-sample  $R^2$  (e.g., cay, the consumption-wealth ratio of [Lettau and Ludvigson \(2001\)](#)) or in statistical significance (e.g., ik, the investment-capital ratio of [Cochrane \(1991\)](#)). In the appendix, we report the correlation between  $pr_t$  and other predictors.  $pd_t$ , bm, ik, and dy show significant correlations.

## 2.3 Predicting dividend growth

As shown in Equation (4), the price-dividend ratio compresses information about expected return and expected dividend growth. As the return predictive power is concentrated in  $pr_t$ , the component of  $pd_t$  that is orthogonal to  $pr_t$  (i.e.,  $\epsilon_t^{pd}$ ) should forecast dividend growth. We



**Figure 3: Comparison with Alternative Return Predictors.** This graphs compares the 1-year return predictive power between  $pr_t$  and other commonly studied predictors in our sample period. Panel A reports the in-sample adjusted  $R^2$ . Panel B reports the out-of-sample  $R^2$ . Negative out-of-sample  $R^2$  indicates that the predictive power is below historic mean. Panel C reports the absolute values of Newey and West (1987) t-statistic (with 18-month lag). Panel D reports the absolute values of Hodrick (1992) t-statistic. Most predictors are from Goyal and Welch (2007) and include the price-dividend ratio (pd), the default yield spread (dfy), the inflation rate (infl), stock variance (svar), the cross-section premium (csp), the dividend payout ratio (de), the long-term yield (lty), the term spread (tms), the T-bill rate (tbl), the default return spread (dfr), the dividend yield (dy), the long-term rate of return (ltr), the earnings-to-price ratio (ep), the book to market ratio (bm), the investment-to-capital ratio (ik), the net equity expansion ratio (ntis), the percent equity issuing ratio (eqis), and the consumption-wealth-income ratio (cay). SII is the short interests index from Rapach, Ringgenberg, and Zhou (2016) (1988-2014). SVIX is option-implied lower bound of 1-year equity premium from Martin (2017) (1996-2012). kp is the single predictive factor extracted from 100 book-to-market and size portfolios from Kelly and Pruitt (2013).

measure dividend growth by the ratio of adjacent, non-overlapping cumulative dividends,

$$\Delta D_{t,t+12} = \frac{\sum_{i=1}^{12} D_{t+i}}{\sum_{i=1}^{12} D_{t-12+i}}.^{12} \quad (9)$$

<sup>12</sup>Dividends are calculated from the difference between cum- and ex-dividend S&P index levels.

Table 3: Dividend Growth Prediction

This table reports the results of dividend growth forecasting. The left-hand side variable is the one-year, non-overlapping dividend growth rate of S&P 500 index defined in Equation (10). We consider four right-hand side variables (i.e., predictors), the residuals of  $pd_t$  after projecting on  $pr_t$  ( $\epsilon_t^{pd}$ ),  $pd_t$ ,  $pr_t$ , the equity yield,  $\ln\left(\frac{D_t}{P_t^{T-}}\right)$ , and the results are reported in Column (1) to (4) respectively. The estimated predictive coefficient ( $\beta$ ) is shown followed by Newey and West (1987) t-statistic (with 18 lags), Hodrick (1992) t-statistic, the coefficient adjusted for Stambaugh (1999) bias, and the in-sample  $R^2$ . We run the regression monthly. Starting from December 1997, we form out-of-sample forecasts of return in the next twelve months by estimating the regression with data up to the current month, and use the forecasts to calculate out-of-sample  $R^2$ , ENC test (Clark and McCracken (2001)), and the p-value of CW test (Clark and West (2007)).

	$\epsilon_t^{pd}$	$pd_t$	$pr_t$	$\ln\left(\frac{D_t}{P_t^{T-}}\right)$
$\beta$	0.307	0.014	-0.035	-0.127
<i>Newey-West t</i>	(3.204)	(0.247)	(-2.005)	(-3.395)
<i>Hodrick t</i>	[5.153]	[0.642]	[-3.990]	[-6.767]
<i>Stambaugh bias adjusted <math>\beta</math></i>	0.316	0.025	-0.024	-0.118
$R^2$	0.349	0.003	0.057	0.233
OOS $R^2$	0.304	-0.045	0.046	0.222
$p(ENC)$	< 0.01	> 0.10	< 0.10	< 0.01
$p(CW)$	0.011	0.418	0.054	0.001

In the predictive regression, we use the logarithm of  $\Delta D_{t,t+12}$  as the forecasting target.

Table 3 reports the results of dividend growth prediction.<sup>13</sup> Column (1) shows that  $\epsilon_t^{pd}$ , the residual of  $pd_t$  after projecting on  $pr_t$ , exhibits very strong predictive power with in-sample and out-of-sample  $R^2$  of 34.9% and 30.4% respectively. The coefficient has a large magnitude and is statistically significant. One standard-deviation increase of  $\epsilon_t^{pd}$  is associated with 4.55% increase of dividend growth (i.e., 3.7 standard deviations). Column (2) shows that  $pd_t$  itself does not strongly predict dividend growth. Column (3) shows that in comparison with  $\epsilon_t^{pd}$ , the dividend predictive power of  $pr_t$  is weaker, with an out-of-sample  $R^2$  only 15% of that of  $\epsilon_t^{pd}$ . Together, Table 2 and 3 show that the information about future return and dividend is mingled together in  $pd_t$ . Such information is disentangled, once  $pd_t$  is decomposed by cash-flow horizon, and  $pr_t$  is constructed to extract the expected return.

<sup>13</sup>Forecasting dividend growth has been at the center of asset pricing literature. See, e.g., Fama and French (2000), Lettau and Ludvigson (2005), Kojien and Van Nieuwerburgh (2011), Lacerda and Santa-Clara (2010), Golez (2014), Golez and Koudijs (2018).

Our analysis of return and dividend predictability echoes the observation of [Cochrane \(2007\)](#) that price-dividend ratio must either predict return or dividend growth, but we show an even richer story: the predictive information on return and dividend cancels out each other within  $pd_t$  ([Lettau and Ludvigson \(2005\)](#)). Once we tease out the information on the future return, the rest of  $pd_t$  predicts dividends better than  $pd_t$  itself.

$e^{pd_t}$  is related to the “equity yield” in [Binsbergen, Hueskes, Koijen, and Vrugt \(2013\)](#) in its dividend predictive power. Following that paper, we define equity yield as  $\ln\left(\frac{D_t}{P_t^{T-}}\right)$ . The following equation directly decomposes  $pd_t$  into  $pr_t$  and the equity yield:

$$pd_t = \ln(1 + e^{pr_t}) - \ln\left(\frac{D_t}{P_t^{T-}}\right) \approx \kappa_0 + \kappa_1 pr_t - \kappa_2 \ln\left(\frac{D_t}{P_t^{T-}}\right), \quad (10)$$

where the linearization coefficients are  $\kappa_1 = \frac{\overline{\exp(pr)}}{1 + \overline{\exp(pr)}}$ ,  $\kappa_2 = 1$ , and  $\kappa_0 = \ln\left(1 + \overline{\exp(pr)}\right) - \kappa_2 \overline{pr}$ . The upper bar represents long-run means, around which we log-linearize the equation. The correlation between  $pr_t$  and the equity yield is 0.86 in our sample, so Equation (10) is only an imperfect decomposition. As shown in Column (4) of Table 3, the equity yield also predicts dividend growth, albeit with a forecasting power less than  $\epsilon_t^{pd}$ .<sup>14</sup>

## 2.4 A structural interpretation

The economic intuition behind our results can be understood by imposing more structure on the state-space model. We construct the stochastic discount factor and aggregate dividend following [Lettau and Wachter \(2007\)](#), and show that the return predictive power of  $pr_t$  depends on the persistence of expected dividend growth. This model is nested by the previous state-space model. To streamline the exposition, here we define one unit of time as one year, instead of one month as in the empirical exercises.

**Model and solution.** The economy has three independent shocks: one to dividend growth,

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<sup>14</sup>Our sample period differs from [Binsbergen, Hueskes, Koijen, and Vrugt \(2013\)](#) (October 2002 and April 2011) who need dividend derivatives for dividend strips, so the estimates of predictive coefficient are different.

one to expected dividend growth, and a preference shock. A  $3 \times 1$  vector  $\varepsilon_{t+1}$  record these standard normal shocks. The aggregate dividend is assumed to evolve according to

$$\Delta d_{t+1} = g + z_t + \sigma_d \varepsilon_{t+1}, \quad (11)$$

where  $z_t$  follows the AR(1) process

$$z_{t+1} = \phi_z z_t + \sigma_z \varepsilon_{t+1}, \quad (12)$$

with  $|\phi_z| < 1$ . The conditional mean of dividend growth is  $g + z_t$ . Row vectors  $\sigma_d$  and  $\sigma_z$  load shocks into  $\Delta d_{t+1}$  and  $z_{t+1}$  respectively. The conditional standard deviation of  $\Delta d_{t+1}$  equals  $\|\sigma_d\| = \sqrt{\sigma_d \sigma_d'}$ . Similarly, the conditional standard deviation of  $z_{t+1}$  equals  $\|\sigma_z\| = \sqrt{\sigma_z \sigma_z'}$ , and its conditional covariance with  $\Delta d_{t+1}$  is  $\sigma_d \sigma_z'$ .

The stochastic discount factor is directly specified for this economy. In particular, we assume that the price of risk is driven by a single variable  $x_t$  that follows the AR(1) process

$$x_{t+1} = (1 - \phi_x) \bar{x} + \phi_x x_t + \sigma_x \varepsilon_{t+1}, \quad (13)$$

where  $|\phi_x| < 1$  and  $\sigma_x$  is a  $1 \times 3$  vector. For simplicity, the risk-free rate, denoted  $r^f$ , is constant. Following [Lettau and Wachter \(2007\)](#), and in line with [Campbell and Cochrane \(1999\)](#) and [Menzly, Santos, and Veronesi \(2004\)](#), we assume only dividend risk is priced. Let  $\varepsilon_{d,t+1} = \frac{\sigma_d}{\|\sigma_d\|} \varepsilon_{t+1}$  denote the normalized dividend shock. The stochastic discount factor is

$$M_{t+1} = \exp\left\{-r^f - \frac{1}{2}x_t^2 - x_t \varepsilon_{d,t+1}\right\}. \quad (14)$$

Consistent with the no-arbitrage condition,  $\ln E_t[M_{t+1}] = -r^f$ . In [Campbell and Cochrane \(1999\)](#), the price of risk ( $x_t$  here) is perfectly negatively correlated with cash-flow growth, which corresponds to  $\sigma_x / \|\sigma_x\| = -\sigma_d / \|\sigma_d\|$ . Here, as in [Lettau and Wachter \(2007\)](#), we allow

the conditional correlation to be imperfect, and interpret shocks that are uncorrelated with changes in fundamentals as preference or sentiment shocks.

We solve  $pr_t$ , which is equal to  $\ln\left(\frac{S_t}{P_t^{T-}} - 1\right)$  given our previous notations. First, we solve  $P_t^{T-}$ , the price of one-year dividend following [Lettau and Wachter \(2007\)](#):

$$P_t^{T-} = D_t \exp\{A^{T-} + B^{T-}x_t + C^{T-}z_t\}, \quad (15)$$

where  $A^{T-}$  is a constant, and the constant coefficients on  $x_t$  and  $z_t$  are

$$B^{T-} = -\|\sigma_d\|, \quad \text{and} \quad C^{T-} = 1.$$

Next, we solve the price of all dividends from the next year to the indefinite future, as in [Bansal and Yaron \(2004\)](#), using [Campbell and Shiller \(1988\)](#) approximation of market return  $r_{t+1}$ , i.e.,  $\kappa_0 + \kappa_1 pd_{t+1} - pd_t + \Delta d_{t+1}$ , and no-arbitrage condition (details in Appendix I):

$$S_t = D_t \exp\{A + Bx_t + Cz_t\}, \quad (16)$$

where  $A$  is a constant, and the constant coefficients on  $x_t$  and  $z_t$  are

$$B = -\frac{\frac{\sigma_d \sigma_z'}{\|\sigma_d\|} \kappa_1 C + \|\sigma_d\|}{\frac{\sigma_d \sigma_x'}{\|\sigma_d\|} \kappa_1 + \kappa_1 \phi_x - 1}, \quad \text{and} \quad C = \frac{1}{1 - \kappa_1 \phi_z}.^{15}$$

The return predictor  $pr_t$  is a function of  $S_t/P_t^{T-}$ , which in turn depends on  $x_t$  and  $z_t$ :

$$\frac{S_t}{P_t^{T-}} = \exp\{A - A^{T-} + (B - B^{T-})x_t + (C - C^{T-})z_t\}. \quad (17)$$

---

<sup>15</sup>[Lettau and Wachter \(2007\)](#) solve the total value of dividends using a different approximation that sums up the closed-form prices of dividend strips up to a finite horizon and approximate the residual value by exploiting the fact that strip prices' coefficients on  $x_t$  and  $z_t$  converge to horizon-independent fixed points.

Finally, we solve the expected market return that only depends on  $x_t$ , the price of risk:

$$\mathbb{E}_t[r_{t+1}] = A^r + B(\kappa_1\phi_x - 1)x_t, \quad (18)$$

where  $A^r$  is a constant and the coefficient of  $x_t$  is a product of  $B$  and  $(\kappa_1\phi_x - 1)$ .

Equation (11) and (18) show that the state-space model that motivates our decomposition of price-dividend ratio nests this structural model.  $F_t$  contains  $x_t$  and  $z_t$ , with the former driving the expected market return and the latter driving the expected dividend growth.

**Return predictability and the expected dividend growth.** From Equation (18), we know that to predict return, all we need is  $x_t$ .  $pd_t$  and  $pr_t$  depend on both  $x_t$  and  $z_t$ . The information on future dividends may compromise the return predictive power (Menzly, Santos, and Veronesi (2004); Lettau and Ludvigson (2005)). For example, Lettau and Wachter (2007) calibrate the shock correlation between  $x_t$  and  $z_t$  to zero, so  $z_t$  adds pure noise. In fact, when the expected dividend growth is transient ( $\phi_z = 0$ ),  $pr_t$  perfectly reveals  $x_t$ , because  $\phi_z = 0$  implies  $C = 1$  and the coefficient of  $z_t$  in  $S_t/P_t^{T-}$ , i.e.,  $(C - C^{T-})$ , is zero.

**Proposition 1** *In an economy with stochastic discount factor given by Equation (14) and aggregate dividend growth given by Equation (11), there is a one-to-one mapping from  $pr_t$  to  $x_t$  if and only if the expected dividend growth is not persistent, i.e.,  $\phi_z = 0$ .*

Our findings on dividend predictability lend further support to this structural interpretation of  $pr_t$ 's return predictive power. In Table 3, we show that  $\epsilon_t^{pd}$ , the residuals from projecting  $pd_t$  on  $pr_t$ , predict dividend growth. When  $\phi_z = 0$ ,  $pr_t$  perfectly reveals  $x_t$ , so  $\epsilon_t^{pd}$  maps to  $z_t$ . Moreover,  $\ln(P_t^{T-}/D_t)$  predicts dividends, but its power is weaker than  $\epsilon_t^{pd}$  because,  $\ln(P_t^{T-}/D_t)$  is  $A^{T-} + B^{T-}x_t + C^{T-}z_t$  so the variation of  $z_t$  is masked by that of  $x_t$ .

Using  $\epsilon_t^{pd}$  as a proxy for the expected dividend growth, we can examine its persistence directly. Figure 11 in the appendix shows that autocorrelations of  $\epsilon_t^{pd}$  are not statistically different from zero. Because next we will show the return predictive power of  $pr_t$  outside the U.S., we report the autocorrelations of  $\epsilon_t^{pd}$  both in the U.S. and other countries.

Finally, we fit a state-space model to dividends, and report the estimates in Table 15 in the appendix. The null hypothesis of zero persistence in the expected dividend growth cannot be rejected for both S&P 500 dividends and the total cash payout of CRSP NYSE/AMEX/NASDAQ Cap-Based index. Note that in Table 3, the dividend predictive power of  $pr_t$  seems stronger than  $pd_t$  (still much weaker than  $\epsilon_t^{pd}$ 's). This is due to the shock correlation between  $x_t$  and  $z_t$ , which causes an *unconditional* correlation between  $pr_t$  and the expected dividend growth. We show that our results are robust to different correlations between structural shocks (Figure 10 in the appendix).

When  $z_t$  is a constant,  $pr_t$  and  $pd_t$  are both perfect proxies for  $x_t$ , but when  $z_t$  varies over time, the return predictive power of  $pd_t$  is compromised. Variants of growth-adjusted valuation ratios have been proposed (Campbell and Thompson (2008); Lacerda and Santa-Clara (2010); Da, Jagannathan, and Shen (2014); Golez (2014)). Binsbergen and Koijen (2010), Rytchkov (2012), and Jagannathan and Liu (2015) use state-space models to filter out and separate the information on expected return and dividend growth. We contribute to this line of research by proposing a *model-free* predictor that is directly constructed from market prices. Moreover, we construct a dividend predictor by simply projecting  $pd_t$  on  $pr_t$ .

## 2.5 Predicting return outside the United States.

A potential concern is that our US sample of thirty years (354 monthly observations) is relatively short. We close this section with international evidence on return predictability.

**Sample construction.** The index return and futures data are obtained from Datastream. Zero coupon bond yields and index dividends are obtained from Bloomberg. We start with all developed countries with index futures, and drop a country from the sample if one of the following criteria is met: 1) futures with maturity larger or equal to one year do not exist (Germany, Hong Kong, Switzerland) or exist for less than five years (Norway); 2) futures price exhibits strong seasonality (Italy, Netherlands, and Switzerland) or break (Canada).<sup>16</sup>

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<sup>16</sup>In the appendix, Figure 9 plots the futures-to-spot ratio for these four countries.



Table 4: International Panel Return Prediction

This table reports the results of return forecasting regression (Equation (19)) using the panel data of Australia, France, Japan, Spain, the United Kingdom, and the United States. The left-hand side variable is the one-month, non-overlapping index return of a country, and for the right-hand side variable, we consider  $pr_t$  (Column 1 and 2),  $pd_t$  (Column 3 and 4),  $\epsilon_t^{pr}$  (Column 5 and 6), and  $\epsilon_t^{pd}$  (Column 7 and 8) in that country.  $\epsilon_t^{pr}$  is the residual of  $pr_t$  after projecting on  $pd_t$ , and  $\epsilon_t^{pd}$  is the residual of  $pd_t$  after projecting on  $pr_t$ . For each predictor, we report both the results with and without time fixed effects. The estimated predictive coefficient ( $\beta$ ) is shown followed by Hodrick (1992) t-statistic. In each column, we report whether country and time fixed effects are included, the number of observations, and adjusted  $R^2$ . We drop observations with negative one-year dividend strip prices, so the estimation using  $pr_t$  has a shorter sample than that using  $pd_t$ .

$pr_t$	-0.189 [-4.497]	-0.051 [-0.740]						
$pd_t$			-0.109 [-3.843]	-0.135 [-1.339]				
$\epsilon_t^{pr}$					-0.404 [-7.087]	-0.113 [-1.438]		
$\epsilon_t^{pd}$							-0.063 [-1.961]	-0.083 [-1.230]
Country FE	✓	✓	✓	✓	✓	✓	✓	✓
Time FE		✓		✓		✓		✓
Obs	1,469	1,469	1,553	1,553	1,469	1,469	1,469	1,469

For each country, our sample starts from the earliest date when index return, futures, and dividend data are all available. We end up with 1,469 country-month observations: UK (FTSE100, starting in 1993), France (CAC40, starting in 1998), Spain (IBEX35, starting in 1994), Australia (ASX200, starting in 2002), and Japan (Nikkei225, starting in 1993). We construct  $pr_t$  and  $pd_t$ , and estimate  $\epsilon_t^{pr}$  and  $\epsilon_t^{pd}$  country-by-country.

**International return predictability.** We supplement the US sample with data from the other five countries, and use this unbalanced panel to test the return predictive power of  $pr_t$ .

In the panel data regression, the left-hand side variable is the future stock market return in a country, and the right-hand side variable of interest is  $pr_t$  in that country. Instead of running the typical predictive regression with overlapping returns on the left-hand side, we follow the suggestion of Hodrick (1992) and run the following (“reverse”) regression to test

the return predictive power of  $pr_t$  at one-year horizon.

$$12 r_{t,t+1}^n = \alpha + \beta \left( \frac{1}{12} \sum_{i=0}^{11} x_{t-i}^n \right) + \epsilon_{t,t+1}^n, \quad (19)$$

where  $n$  represents a country.<sup>17</sup> The dependent variable is the (annualized) next-month market return (non-overlapping), and the predictor is averaged in the most recent twelve months. [Hodrick \(1992\)](#) points out the difficulties in inference when using overlapping observations, especially given the the poor small-sample properties of GMM-based autocovariances correction (e.g., Newey-West standard error), and suggest this reverse regression (19) for drawing inference on long-run prediction.<sup>18</sup> We cluster the standard error by time and country. The model of Equation (19) combines the small-sample properties of [Hodrick \(1992\)](#) standard error and the robustness of clustered standard errors to various error correlations.

Table 4 reports the results. Column (1) shows the strong return predictive power of  $pr_t$  after controlling for the heterogeneity in level of equity premium across countries (through country fixed effect). The coefficient estimate is similar to the predictive coefficient in the U.S. sample, and more statistically significant. The comparison between Column (1) and (3) of Table 4 shows that the return predictive power of  $pr_t$  is stronger than  $pd_t$ . Column (5) shows that the residuals of  $pr_t$  after projecting on  $pd_t$  strongly predicts return at one-year horizon. Column (7) shows that  $pr_t$  largely subsumes the return predictive power of  $pd_t$  (as a reminder,  $\epsilon_t^{pd}$  is the residual from projecting  $pd_t$  on  $pr_t$ ). In contrast to the U.S. results,  $pd_t$  now carries some distinct information on future returns.

**Cross-country comovement in the expected return.** We introduce time fixed effect in Column (2) that absorbs a global factor in the returns of each country. Return predictability

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<sup>17</sup>Note that the [Hodrick \(1992\)](#) standard error in Table 2 is not based on such non-overlapping regression. We corrected the standard error of predictive coefficient of overlapping regression following the calculation in [Hodrick \(1992\)](#) who show that under certain assumptions the corrected t-statistic of the overlapping regression equals the t-statistic of the non-overlapping reverse regression.

<sup>18</sup>Note that the adjusted  $R^2$  from the non-overlapping regression of Equation (19) is not comparable to that of the overlapping regression in Table 2, because in Equation (19), we effectively forecast monthly return using the one-year average of predictor, even if the inference we draw from such regression is about the return prediction at the one-year horizon. Thus, we do not report the  $R^2$  of non-overlapping regression.

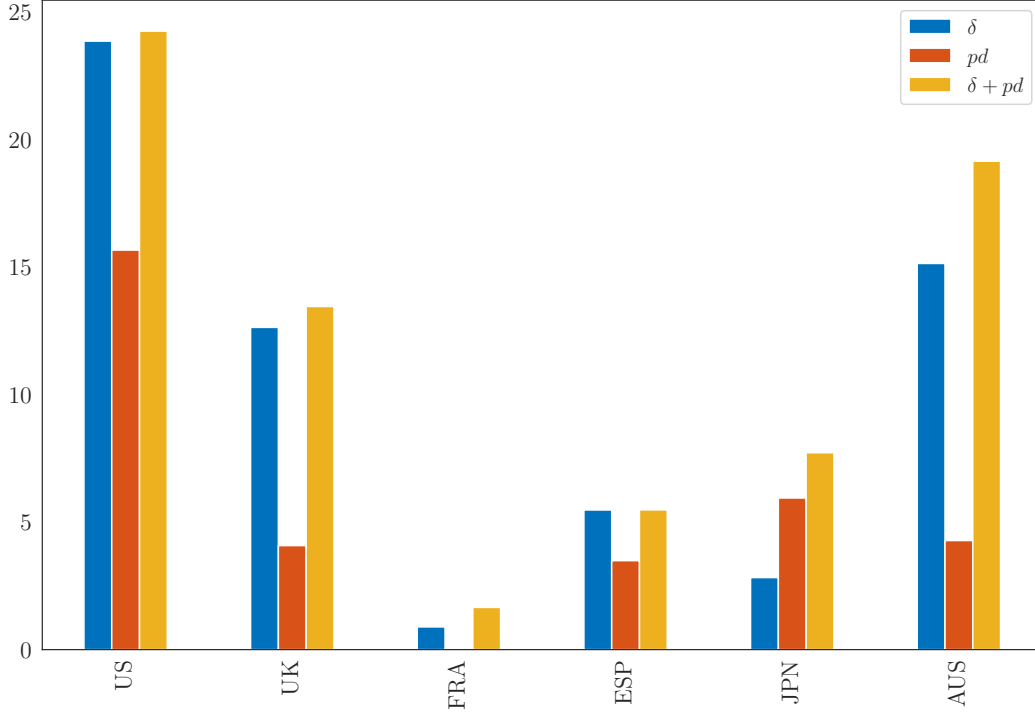


Figure 4: **Return Prediction across Countries.** This graph shows side-by-side the adjusted  $R^2$ s of three univariate predictive regressions, with  $pr_t$ ,  $pd_t$ , and  $pr_t$  and  $pd_t$  together on the right-hand side respectively for each country. The left hand side variable is the total market return in the next twelve months.

disappears, meaning that the return predictive power of  $pr_t$  mainly comes from the information it contains regarding the global factor. Note that  $pr_t$  is constructed country-by-country. This finding suggests that the expected return across countries comoves, which is in line with the literature on global market integration (Karolyi and Stulz (2003); Miranda-Agrippino and Rey (2015)). In Column (4), return predictive power of  $pd_t$  also disappears once the time fixed effect is introduced. A similar result holds in Column (6) for  $pr_t$ 's residuals.

Figure 8 in the appendix shows the time series of the first three principal components of  $pr_t$  in these countries, which together account for more than 80% of the variation. The first principal component (48% of variation) exhibits spikes at the onsets of the global financial crisis and the European sovereign debt crisis, suggesting that a major part of the global comovement of expected stock return comes from crisis periods.

**Return predictability in each country.** Figure 4 reports the adjusted  $R^2$  from predictive regressions in each country using  $pr_t$ ,  $pd_t$ , and  $pr_t$  and  $pd_t$  together on the right hand side.  $pr_t$  outperforms  $pd_t$  in all countries but Japan, and adding  $pd_t$  does not seem to bring extra return predictive power. Table 12 in the appendix reports the details of estimation results.

### 3 The Risk of Time-Varying Expected Return

We study the risk of time-varying expected return using  $pr_t$  as the forecasting variable. Shocks to  $pr_t$  are significantly priced in the cross section (Table 5). This exercise is essentially a test of  $pr_t$  as a return predictor. In ICAPM, shocks to agents' investment opportunities are priced; so should shocks to  $pr_t$  if it is an adequate expected-return proxy. Moreover, we find the price of market risk can be better identified when  $pr_t$  shocks are included. The two-factor structure follows closely Campbell (1993). Next, we document the cyclicalities of expected return by examining the response of  $pr_t$  to monetary policy shocks (Table 6) and  $pr_t$ 's correlations with macroeconomic and financial market conditions (Table 7).

#### 3.1 The price of $pr_t$ risk

**Revisiting ICAPM.** The expected market return, and more generally, agents' investment opportunity set, varies with  $pr_t$ . On the one hand, assets that have negative covariance with shocks to  $pr_t$  are desirable because they enable investors to profit from improved investment opportunities – a negative shock to  $pr_t$  is a positive shock to the expected market return (i.e., goods news on future market returns). On the other hand, assets with positive  $pr_t$ -beta are desirable because they hedge against the deterioration of investment opportunities. As shown by Campbell (1993) using the recursive utility of Epstein and Zin (1989), if the coefficient of relative risk aversion is greater than one, the hedging motive dominates, and shocks to  $pr_t$  are negatively priced. Next, we estimate the price of  $pr_t$  risk in the cross section of standard sorted portfolios.

We are the first to perform this asset pricing test in the literature of return predictability. If predictive power is not from spurious relations, shocks to the predictor should be priced. Here, we go beyond standard-error correction, bias adjustments, and out-of-sample tests. We test the return predictive power of  $pr_t$  using ICAPM ([Merton \(1973\)](#)).

**Estimating  $pr$  risk price.** Our testing assets are the twenty-five Fama-French portfolios (sorted by size and book-to-market ratio), twenty-five momentum portfolios (sorted by size and prior returns), twenty-five investment portfolios (sorted by size and change in total assets), and twenty-five profitability portfolios (sorted by size and operating profitability). The data of monthly portfolio returns are from Kenneth R. French’s website.<sup>19</sup> We consider this set of portfolios as good proxy for the U.S. investors’ opportunity set.

The first step is to calculate the loadings of assets on shocks to  $pr_t$ . As noted by [Pástor and Stambaugh \(2003\)](#), an asset’s beta should be defined with respect to shocks (innovations) instead of the level of a state variable, because the expected changes in the state variable and the expected asset return can be correlated, which contaminate beta measures. In our case,  $pr_t$  is very likely to correlate with expected asset returns, because it forecasts the market return and the expected asset returns are functions of the expected market return in CAPM or other equilibrium asset pricing models. We measure shocks to  $pr_t$  as the first difference. In the appendix (Table 13), we show that results based on AR(1) shocks are similar.

To estimate the price of  $pr_t$  shocks, we take two approaches. The first is the Fama-MacBeth method. The second one is GMM, which corrects potential biases in the Fama-MacBeth standard errors ([Cochrane \(2005\)](#)). Parameters are over-identified in GMM. For the weight matrix, we use the two-stage efficient weight matrix ([Hayashi \(2000\)](#)). In both cases, the cross-sectional pricing equations exclude intercepts. We include market excess return as the other risk factor following the exact equilibrium condition of [Campbell \(1993\)](#).

Table 5 reports the results of cross-sectional estimations. Each column corresponds to a universe of assets. \*, \*\*, and \*\*\* denote 5%, 2%, and 1% level of statistical significance

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<sup>19</sup>[http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data\\_library.html](http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data_library.html)

Table 5: The Price of  $pr_t$  Risk

This table reports the price of market risk and  $pr_t$  risk estimated using Fama-MacBeth method and Generalized Method of Moments (GMM). We use the two-stage GMM estimator with the efficient weight matrix.  $pr_t$  shock is measured by the first difference of  $pr_t$ . The full asset universe (“All”) includes the twenty-five Fama-French portfolios (sorted by size and book-to-market ratio), ten momentum portfolios, ten investment portfolios, and ten profitability portfolios. We also estimate  $pr_t$  risk price using twenty-five value-size, momentum-size, investment-size, and profitability-size portfolios. The data of monthly portfolio returns are from Kenneth R. French’s website. Each column corresponds to one set of assets. Each estimated price of risk is followed by the t-statistic in parenthesis. \*, \*\*, and \*\*\* denote 5%, 2%, and 1% level of statistical significance respectively. We also report mean absolute pricing error (MAPE) and  $R^2$ .

	All (1)	Fama-French 25 (2)	Momentum 25 (3)	Investment 25 (4)	Profitability 25 (5)
<b>Fama-MacBeth</b>					
$\Delta pr_t$	-0.252*** (-4.707)	-0.288*** (-2.803)	-0.367*** (-3.858)	-0.099 (-1.047)	-0.193** (-2.513)
$r_t - r_t^f$	0.009*** (4.025)	0.009*** (3.893)	0.009*** (3.772)	0.010*** (4.214)	0.009*** (4.023)
MAPE	0.189%	0.172%	0.220%	0.212%	0.228%
$R^2$	0.645	0.674	0.718	0.696	0.719
<b>GMM</b>					
$\Delta pr_t$	-0.359*** (-8.314)	-1.354*** (-2.907)	-0.296*** (-5.428)	-52.494 (-0.059)	-0.069** (-2.571)
$r_t - r_t^f$	0.010*** (5.006)	0.010*** (3.662)	0.009*** (4.284)	-0.015 (-0.036)	0.013*** (5.979)
MAPE	0.091%	0.027%	0.089%	0.066%	0.147%
$R^2$	0.729	0.678	0.667	0.720	0.727

respectively. “All” refers to the universe that includes Fama-French twenty-five portfolios, ten momentum, ten investment, and ten profitability portfolios (a total of fifty-five assets). Column (2) to (5) correspond respectively to twenty-five double-sorted portfolios of book-to-market, momentum, investment and profitability interacting with size. The price of risk is reported for both  $pr_t$  shock ( $\Delta pr_t$ ) and market excess return ( $r_t - r_t^f$ ), followed by the t-statistic. We also report the mean absolute pricing error (MAPE) and  $R^2$ .

The price of  $pr_t$  risk is negative and statistically significant in the cross-section of all assets, size and book-to-market sorted portfolios, momentum portfolios, and profitability portfolios. The magnitude is similar across asset universes and economically significant. For example, one standard deviation difference in the  $pr_t$  beta of two assets corresponds to a difference of  $0.252 \times 0.00685 \times 12 = 2.1\%$  in average return per annum. A significant price of

$pr$  risk helps establish  $pr_t$  as a return predictor, i.e., a proxy for the expected market return.

Among size (SMB), value (HML), profitability (RMW), investment (CMA) and momentum factors,  $pr_t$  shocks have the highest correlation ( $-12.7\%$ ) with the momentum (Table 14 in the appendix), suggesting that the cross-sectional dispersion of  $pr_t$  beta are highest among momentum-sorted portfolios. This may explain why the estimated price of  $pr_t$  risk is higher and more precise in the momentum universe than the other sets of portfolios.

Importantly, once the  $pr_t$  shock is introduced as a risk factor, we estimate an economically meaningful and statistically significant price of market risk, which is roughly 1% per month across asset universes. The asset-pricing model we estimate here is precisely the Equation (25) of Campbell (1993) that decomposes assets' expected returns into the covariance with the market return and the covariance with a shock to the expected future returns (exactly the  $pr_t$  shock). As illustrated by our structural model earlier, the two risk factors are correlated, so omitting one makes it difficult to estimate the price of risk for the other. By delivering a strong return predictor, we contribute to the estimation and test of ICAPM.

### 3.2 The cyclicalities of expected return

The fact that shocks to  $pr_t$  are priced suggests the expected market return, proxied by  $pr_t$ , comoves with macroeconomic variables. The relation between macroeconomic conditions and the expected stock return has always been at the center of asset pricing research (Fama and French (1989); Ferson and Harvey (1991)). In particular, the impact of monetary policy on asset prices continues attracting great attention (Campbell, Pflueger, and Viceira (2015)). Bernanke and Kuttner (2005) find that an unanticipated cut in the Federal funds rate is associated with an increase in stock indexes, and based on the VAR approach proposed by Campbell and Ammer (1993), they show the largest part of stock price response is from changes in the expected return. More recently, Lucca and Moench (2015) show that sizable fractions of realized stock returns are concentrated in the twenty-four hours before the scheduled meetings of the Federal Open Market Committee (FOMC) in recent decades.

Table 6: Realized Return, Expected Return, and Monetary Policy Announcements

This table reports how realized and expected returns change during FOMC days and respond to monetary policy shocks. Monetary policy shock (MP Shock) is equal to the unanticipated changes in the Federal Funds rate from Nakamura and Steinsson (2017) on the days of FOMC meetings, and zero otherwise. The sample period is Jan 1st, 1988 to Dec 31st, 2014. FOMC day, Pre-FOMC day, and post-FOMC day are dummy variables for the announcement day, the day before, and the day after respectively. We linear-project realized returns  $r_t$ ,  $pr$ ,  $pd_t$ ,  $\epsilon_t^{pd}$ , and  $\epsilon_t^{pr}$  on these monetary policy variables. Each column reports the results from one specification. \*, \*\*, and \*\*\* denote 5%, 2%, and 1% level of statistical significance respectively.

	$r_t$	$r_t$	$pr_t$	$pd_t$	$\epsilon_t^{pd}$	$\epsilon_t^{pr}$
MP Shock		-0.075*** (-5.507)	-1.326** (-2.329)	-0.251 (-0.879)	0.247 (1.305)	-0.951** (-2.519)
FOMC day	0.004*** (4.513)	0.003*** (3.443)	0.075 (1.935)	0.042* (2.138)	0.014 (1.052)	0.013 (0.492)
Pre-FOMC day	0.001 (0.702)	0.001 (0.704)	0.099** (2.553)	0.042* (2.191)	0.002 (0.174)	0.040 (1.559)
Post-FOMC day	-0.001 (-0.896)	-0.001 (-0.898)	0.101*** (2.628)	0.045** (2.327)	0.007 (0.508)	0.035 (1.358)
$R^2$	0.004	0.009	0.004	0.003	0.000	0.002
Obs	5600	5600	5600	5600	5600	5600

Next, using  $pr_t$  as a proxy of the expected return (discount rate) in the stock market, we examine how monetary policy affects stock prices through its impact on the discount rate and relate our results to the literature. We also document significant correlations between the expected returns from our predictive regression and macroeconomic variables.

**Monetary policy and the expected return.** To examine the impact of monetary policy on stock prices, we construct four variables. We define a variable, FOMC Day, that equals one if the day has an FOMC meeting and zero otherwise. We also construct Pre-FOMC Day that equals one if the next day has an FOMC meeting and zero otherwise, and similarly, Post-FOMC Day. Finally, we use the monetary policy shocks from Nakamura and Steinsson (2017) to construct a variable, MP Shock, that equals their monetary policy shocks on FOMC days and zero in non-FOMC days.<sup>20</sup>

Table 6 reports the results of projecting the realized return,  $pr_t$  (our proxy for expected

<sup>20</sup>Monetary policy shock is calculated using a 30-minute window from 10 minutes before the FOMC announcement to 20 minutes after it. Data of the Federal funds futures is used to separate changes in the target funds rate into anticipated and unanticipated components. For earlier contributions, please refer to Cook and Hahn (1989), Kuttner (2001), and Cochrane and Piazzesi (2002) among others.



return),  $pd_t$ ,  $\epsilon_t^{pd}$  (our proxy for expected dividend growth), and  $\epsilon_t^{pr}$  on the four variables. Column (1) confirms the results of [Lucca and Moench \(2015\)](#). FOMC day sees an average positive return of 40 basis points. While [Lucca and Moench \(2015\)](#) argue that most of the realized market returns are concentrated in the twenty-four hours before FOMC announcements (on average 49 basis points), a big fraction of the those hours are on the FOMC day because the release time varies between 12:30 pm and 2:30 pm. We do not conduct an intraday analysis due to the concern over intraday futures liquidity.

Column (2) of Table 6 shows a tightening of monetary policy (i.e., an increase in MP Shock) decreases stock market returns, in line with the evidence in [Thorbecke \(1997\)](#) and [Bernanke and Kuttner \(2005\)](#). After directly controlling for the monetary policy shock, the relation between stock return and FOMC day is weakened. There is a long tradition in understanding the contemporaneous response of stock price to monetary policy. [Rozeff \(1974\)](#) finds that a substantial fraction of stock return variation is related to monetary news.

Our main interest is on the response of  $pr_t$  to monetary policy variables because  $pr_t$  serves as a proxy for the expected return. Column (3) of Table 6 shows a negative response to monetary tightening, which translates into an increase in the market discount rate.<sup>21</sup> Therefore, the decline of stock price during monetary tightening (a negative realized return) is attributed to the discount-rate increase. Column (6) delivers the same message using  $\epsilon_t^{pr}$ .

If we use the traditional price-dividend ratio as a proxy for the expected return, we shall not see any response to monetary policy shock (as shown in Column (4)), in particular, because the response of  $\epsilon_t^{pr}$  to monetary policy shock is missed. Our new return predictor  $pr_t$  reveals new information about how the expected return varies with monetary policy.

Finally, since the residuals from projecting  $pd_t$  on  $pr_t$  (i.e.,  $\epsilon_t^{pd}$ ) strongly forecast dividend growth (Table 3), we regress it on monetary policy variables. We do not find significant relations. Therefore, monetary policy does not seem to affect the cash-flow expectation.

To sum up, monetary policy has a strong impact on stock prices mainly through the

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<sup>21</sup>This is related to [Patelis \(1997\)](#) who finds some return predictive power of monetary policy variables.

discount rate – expansionary monetary policy tends to lower the discount rate, and thereby, raise the stock price, leading to higher realized returns. Since the expected return becomes lower, the impact of monetary policy on stock price tends to revert over time.

**Correlation with macroeconomic variables.** Table 7 shows that the expected stock return comoves with variables that reflect the conditions of macroeconomy, financial markets, financial intermediaries, uncertainty, and sentiment.

The expected return is countercyclical. It is positively correlated with unemployment and negatively correlated with consumption growth, fixed investments, and GDP deflator, suggesting that a major fraction of variation in the expected return is from the business cycle. The expected return is also positively correlated with the term spread and weakly correlated with the default spread (Baa-Aaa) (Fama and French (1989)). The expected return comoves with *cay*, as suggested by Lettau and Ludvigson (2001), but  $pr_t$  outperforms *cay* in return forecasting (Figure 3), especially out of sample. The fact that many of these cyclical variables fail to predict return as strongly as  $pr_t$  does is likely because (1) we need better measurements (e.g., see Savov (2011) for consumption), (2) most are only available at lower (quarterly) frequencies, or (3) each of them reflects only a fraction of variation in the expected return but  $pr_t$  is a comprehensive measure (sufficient statistics).<sup>22</sup>

The expected return exhibits strong negative correlation with broker-dealer leverage (Adrian and Shin (2010); Adrian, Moench, and Shin (2013)). This indicates that when dealer banks increase their leverage to acquire risky assets or to extend credit to hedge funds through prime brokerage services, the expected return tends to be low. The positive correlation between the expected return and broker-dealer CDS spread suggests that the net worth of financial intermediaries may also play a role in the variation of expected return (He and Krishnamurthy (2013); He, Kelly, and Manela (2017)). We also find that the expected

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<sup>22</sup>For example, Lamont (2000) finds that the nonresidual investment does not forecast returns, and suggests that investment plans are more sensitive to risk premia. In contrast, our measure of expected return is highly correlated with nonresidual investment, suggesting that the findings of Lamont (2000) are likely to be biased by the noise in the measures of expected returns. Pástor and Stambaugh (2009) propose a predictive system to address the imperfect correlation between expected returns and predictors.

Table 7: The Correlations between Macro Variables and the Expected Return

This table reports the correlation between the in-sample fitted expected returns and macroeconomic variables. The variables are divided into four categories. 1) Macroeconomic: nominal GDP Growth, Industrial Production Growth (“IP Growth”), Chicago Fed National Activity Index (“CFNAI”), Unemployment Rate, Real Consumption Growth, Total Business Inventories, Nonresidential Fixed Investment (nominal), Residential Fixed Investment (nominal), and GDP Deflator are all from FRED database. 2) Financial: Term Spread and Default Spread (“Baa-Aaa”) are from FRED. *cay* is from [Lettau and Ludvigson \(2001\)](#). 3) Intermediary: Broker/Dealer leverage (“B/D Leverage”) is from [Adrian, Etula, and Muir \(2014\)](#); Broker/Dealer 1(5) year average CDS spreads (“B/D 1(5) Year Avg. CDS”) is from [Gilchrist and Zakrajšek \(2012\)](#); ROA of banks (“ROA Banks”) is from FRED. 4) Uncertainties: CBOE 1-month VIX index (“VIX”) and [Chauvet and Piger \(2008\)](#)’s smoothed U.S. recession probabilities estimates for given month (“CP Recession”) are from FRED; Economics policy uncertainties (“EPU”) is from [Baker, Bloom, and Davis \(2016\)](#); Survey of Professional Forecasters recession probability estimates (“SPF Recession”) is from the Philadelphia Fed. 5) Sentiments: Sentiment Index (both raw and orthogonalized against several macro variables), Number of IPOs (“IPO #”) and close-end fund NAV discount (“Close-end Discount”) are all from [Baker and Wurgler \(2006\)](#).

	$\hat{r}_{pr}$	$p$ -value
Macroeconomic:		
GDP Growth	0.08	(0.38)
IP Growth	0.03	(0.48)
CFNAI	0.07	(0.18)
Unemployment	0.38	(0.00)
Cons. Growth	-0.43	(0.00)
Business Inventories	-0.08	(0.14)
Nonres. Fixed Investment	-0.47	(0.00)
Res. Fixed Investment	-0.31	(0.01)
GDP Deflator	-0.35	(0.00)
Financial:		
Term Spread	0.27	(0.00)
Baa-Aaa	0.09	(0.07)
<i>cay</i>	0.29	(0.00)
Intermediary:		
B/D Leverage	-0.55	(0.00)
B/D 1 Year Avg. CDS	0.21	(0.02)
B/D 5 Year Avg. CDS	0.32	(0.00)
ROA Banks	-0.43	(0.00)
Uncertainties:		
VIX	-0.25	(0.00)
EPU	0.17	(0.00)
CP Recession	-0.03	(0.47)
SPF Recession	0.13	(0.17)
Sentiments:		
Sentiment Index	-0.43	(0.00)
Sentiment Index (orth.)	-0.44	(0.00)
IPO #	0.10	(0.05)
Close-end Discount	0.32	(0.00)

return comoves with the profitability of commercial banks. Overall, the expected return is closely associated with conditions of the financial intermediation sector.

Interestingly, the expected return tends to be high when VIX is low. This finding has important implications on the dynamics of risk-return trade-off (Lettau and Ludvigson (2010)).<sup>23</sup> Our finding is related to Moreira and Muir (2017), who show that a trading strategy that scales up when the expected volatility declines tend to generate profits unexplained by common risk factors.<sup>24</sup> The expected return has a positive correlation with policy uncertainty (EPU), but the correlations with recession probabilities are mixed.

Finally, we show that the expected return tends to be low when sentiment is high. The sentiment index (raw and orthogonalized to macro factors) is from Baker and Wurgler (2006), together with IPO volume and closed-end fund discount (inversely related to sentiment).

## 4 Conclusion

We find strong evidence of stock return and cash-flow predictability. The ratio of dividend strip prices ( $pr_t$ ) predicts the market return, and the  $pr_t$ -adjusted price-dividend ratio predicts the dividend growth. Shocks to  $pr_t$  are priced in the cross section as implied by ICAPM. The expected return (proxied by  $pr_t$ ) responds strongly to monetary policy shocks and comoves with the conditions of macroeconomy and financial markets.

In asset pricing literature, return and cash-flow predictability are closely tied to the decomposition of stock market volatility (Campbell and Shiller (1988)). Our findings can be incorporated into this paradigm to understand the relative importance of news on the discount rate and cash flow. Moreover,  $pr_t$  can be constructed for individual firms with options data. It used to study the cross-sectional variation of stock returns and the decomposition of firm-level volatility into discount-rate and cash-flow news (Vuolteenaho (2002)).

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<sup>23</sup>VIX may not capture the risks associated with changes in investment opportunities, which can be an important component of risk (Guo and Whitelaw (2006)).

<sup>24</sup>A similar risk-return relation shows up in the cross section of stocks, as shown by strategies that explore low-risk anomalies, such as idiosyncratic volatility (Ang, Hodrick, Xing, and Zhang (2009)), risk parity (Asness, Frazzini, and Pedersen (2012)), and betting against beta (Frazzini and Pedersen (2014)).

The price ratios can also be constructed in every asset class as long as futures, forwards, or options data are available, and especially for assets without explicitly defined dividends such as foreign currencies, commodities, and cryptocurrencies. Whether price ratios predict returns of other assets, and if so, how it changes our understanding of the discount-rate dynamics within and across asset classes, are interesting directions for future research.

# Appendix I: Derivation

## I.1 Derivation of the state-space model

We start with the Campbell-Shiller decomposition of price-dividend ratio

$$v_t = \frac{\kappa}{1-\rho} + \sum_{j=1}^{\infty} \rho^{j-1} \mathbb{E}_t [\Delta d_{t+j} - r_{t+j}].$$

By law of iterated expectation, we can replace  $\Delta d_{t+j}$  and  $r_{t+j}$  with their time  $t+j-1$  expectations:

$$\begin{aligned} v_t &= \frac{\kappa}{1-\rho} + \sum_{j=1}^{\infty} \rho^{j-1} \mathbb{E}_t [g_{t+j-1} - \mu_{t+j-1}] \\ &= \frac{\kappa}{1-\rho} + \sum_{j=1}^{\infty} \rho^{j-1} \mathbb{E}_t [(\delta_0 + \boldsymbol{\delta}' F_{t+j-1}) - (\gamma_0 + \boldsymbol{\gamma}' F_{t+j-1})] \end{aligned}$$

Define  $\phi_0$  as  $\frac{\kappa + \delta_0 - \gamma_0}{1-\rho}$ , and stack the factor coefficients into  $\boldsymbol{\psi} = (\boldsymbol{\delta}', \boldsymbol{\gamma}')$ . Denote the row vector  $(1, -1)$  as  $\boldsymbol{\iota}$ . We can rewrite the equation

$$\begin{aligned} v_t &= \phi_0 + \sum_{j=1}^{\infty} \rho^{j-1} \boldsymbol{\iota} \boldsymbol{\psi}' \mathbb{E}_t [F_{t+j-1}] \\ &= \phi_0 + \sum_{j=1}^{\infty} \rho^{j-1} \boldsymbol{\iota} \boldsymbol{\psi}' \boldsymbol{\Lambda}^{j-1} F_t \\ &= \phi_0 + \boldsymbol{\iota} \boldsymbol{\psi}' \left( \sum_{j=1}^{\infty} \rho^{j-1} \boldsymbol{\Lambda}^{j-1} \right) F_t \\ &= \phi_0 + \boldsymbol{\iota} \boldsymbol{\psi}' (1 - \rho \boldsymbol{\Lambda})^{-1} F_t. \end{aligned}$$

Define  $\boldsymbol{\phi}'$  as  $\boldsymbol{\iota} \boldsymbol{\psi}' (1 - \rho \boldsymbol{\Lambda})^{-1}$ . We have the factor decomposition of price-dividend ratio.

## I.2 Deriving the Sharpe ratio of market-timing strategy

Following [Campbell and Thompson \(2008\)](#), we assume that the excess return can be decomposed as follows:

$$r_{t+1} = \mu + x_t + \varepsilon_{t+1}$$

where  $\mu$  is unconditional mean. The predictor  $x_t$  has mean 0 and variance  $\sigma_x^2$ , independent from the error term  $\varepsilon_{t+1}$ . For simplicity, we assume that the mean-variance investor has relative risk aversion coefficient  $\gamma = 1$ . When using  $x_t$  to time the market, the investor allocates

$$\alpha_t = \frac{\mu + x_t}{\sigma_\varepsilon^2}$$

to the risky asset and on average earns excess return of

$$\mathbb{E}(\alpha_t r_{t+1}) = \mathbb{E}\left(\frac{(\mu + x_t)(\mu + x_t + \varepsilon_{t+1})}{\sigma_\varepsilon^2}\right) = \frac{\mu^2 + \sigma_x^2}{\sigma_\varepsilon^2}$$

The variance of market-timing strategy is

$$\text{Var}(\alpha_t r_{t+1}) = \text{Var}\left[\frac{(\mu + x_t)(\mu + x_t + \varepsilon_{t+1})}{\sigma_\varepsilon^2}\right]$$

The (squared) market-timing Sharpe ratio  $s_1^2$  can be written as

$$s_1^2 = \frac{[\mathbb{E}(\alpha_t r_{t+1})]^2}{\text{Var}(\alpha_t r_{t+1})} = A \cdot \frac{\mu^2 + \sigma_x^2}{\sigma_\varepsilon^2}$$

where  $A$  is a constant that depends on  $\text{Var}[(\mu + x_t)(\mu + x_t + \varepsilon_{t+1})]$  and  $(\mu^2 + \sigma_x^2)/\sigma_\varepsilon^2$ .

Given the buy-and-hold Sharpe ratio  $s_0$ ,

$$s_0^2 = \frac{\mu^2}{\sigma_x^2 + \sigma_\varepsilon^2}$$

and the predictive regression  $R^2$ ,

$$R^2 = \frac{\sigma_x^2}{\sigma_x^2 + \sigma_\varepsilon^2},$$

we obtain the relationship between the buy-and-hold and market-timing Sharpe ratios as

$$s_1^2 = A \cdot \frac{\mu^2 + \sigma_x^2}{\sigma_\varepsilon^2} = A \cdot \frac{\mu^2 + \sigma_x^2}{(\sigma_x^2 + \sigma_\varepsilon^2)(1 - R^2)} = A \cdot \frac{s_0^2 + R^2}{1 - R^2}$$

When the predictor has no predictive power, we know that  $R^2 = 0$  and  $s_0 = s_1$ . We therefore pin down the constant  $A = 1$  and obtain

$$s_1 = \sqrt{\frac{s_0^2 + R^2}{1 - R^2}}. \quad (20)$$

### I.3 Solving the structural model

We follow directly [Lettau and Wachter \(2007\)](#) when solving the price of one-year dividend, so we do not repeat the derivation details here. For the price of all dividends, we first conjecture that the market price-dividend ratio is exponential-affine in the state variables, that is

$$pd_t = \ln(S_t/D_t) = A + Bx_t + Cz_t.$$

Next, we use the log-linearization of [Campbell and Shiller \(1988\)](#), i.e.,

$$r_{t+1} = \kappa_0 + \kappa_1 pd_{t+1} - pd_t + \Delta d_{t+1},$$

and substitute this log market return into the no-arbitrage condition

$$\mathbb{E}_t[M_{t+1} \exp\{r_{t+1}\}] = 1.$$



to obtain

$$\mathbb{E}_t \left[ \exp \left\{ -r^f - \frac{1}{2}x_t^2 - x\varepsilon_{d,t+1} + \kappa_0 + \kappa_1 pd_{t+1} - pd_t + \Delta d_{t+1} \right\} \right] = 1,$$

where  $\Delta d_{t+1} = g + z_t + \sigma_d \varepsilon_{t+1}$  from Equation (11) and  $\varepsilon_{d,t+1} = (\sigma_d / \|\sigma_d\|) \varepsilon_{t+1}$  as in Lettau and Wachter (2007). Note that  $pd_{t+1}$  can also be written as a linear combination of time  $t$  state variables and time  $t + 1$  shocks because  $x_{t+1}$  and  $z_{t+1}$  are given by Equation (13) and (12) respectively. Therefore, we can take all time- $t$  measurable terms outside of the expectation and only leave  $t + 1$  shocks in it:

$$\begin{aligned} & \exp \left\{ -r^f - \frac{1}{2}x_t^2 + \kappa_0 - pd_t + g + z_t + \kappa_1 A + \kappa_1 B(1 - \phi_x) \bar{x} + \kappa_1 B \phi_x x_t + \kappa_1 C \phi_z z_t \right\} \\ & \mathbb{E}_t [\exp \{-x_t \varepsilon_{d,t+1} + \kappa_1 B \sigma_x \varepsilon_{t+1} + \kappa_1 C \sigma_z \varepsilon_{t+1} + \sigma_d \varepsilon_{t+1}\}] = 1. \end{aligned} \quad (21)$$

Using the Gaussian moment-generating function, we rewrite the term within expectation as

$$\begin{aligned} & \mathbb{E}_t [\exp \{-x_t \varepsilon_{d,t+1} + \kappa_1 B \sigma_x \varepsilon_{t+1} + \kappa_1 C \sigma_z \varepsilon_{t+1} + \sigma_d \varepsilon_{t+1}\}] \\ & = \exp \left\{ \frac{1}{2} (\kappa_1 B \sigma_x + \kappa_1 C \sigma_z + \sigma_d) (\kappa_1 B \sigma_x + \kappa_1 C \sigma_z + \sigma_d)' \right. \\ & \quad \left. + (\kappa_1 B \sigma_x + \kappa_1 C \sigma_z + \sigma_d) \frac{\sigma'_d}{\|\sigma_d\|} x_t + \frac{1}{2} x_t^2 \right\} \end{aligned}$$

Equation (21) holds only if the coefficient on  $x_t$  and  $z_t$  are zero, so we have the coefficients of  $x_t$  equal to

$$-B + \kappa_1 B \phi_x + (\kappa_1 B \sigma_x + \kappa_1 C \sigma_z + \sigma_d) \frac{\sigma'_d}{\|\sigma_d\|} = 0,$$

and the coefficient on  $z_t$  equal to

$$-C + 1 + \kappa_1 \phi_z C = 0.$$

From these two equations, we solve

$$B = \frac{\frac{\sigma_d \sigma'_z}{\|\sigma_d\|} \kappa_1 C + \frac{\sigma_d \sigma'_d}{\|\sigma_d\|}}{1 - \kappa_1 \phi_x - \frac{\sigma_d \sigma'_x}{\|\sigma_d\|} \kappa_1},$$

and

$$C = \frac{1}{1 - \kappa_1 \phi_z}.$$

Note that  $x_t^2$  is canceled out. By setting all the constant terms in the exponential equal to zero, we can solve the constant  $A$  in our conjecture of  $pd_t$ . Hence, we confirm the conjecture.

Next, we solve the expected market return.

$$\begin{aligned} \mathbb{E}_t[r_{t+1}] &= \kappa_0 + \kappa_1 E_t[pd_{t+1}] - pd_t + E_t[\Delta d_{t+1}] \\ &= \kappa_0 + \kappa_1 A + \kappa_1 B E_t[x_{t+1}] + \kappa_1 C E_t[z_{t+1}] - A - Bx_t - Cz_t + g + z_t \\ &= \kappa_0 + \kappa_1 A + \kappa_1 B(1 - \phi_x) \bar{x} + \kappa_1 B \phi_x x_t + \kappa_1 C \phi_z z_t - A - Bx_t - Cz_t + g + z_t \\ &= [\kappa_0 + (\kappa_1 - 1)A + g + \kappa_1 B(1 - \phi_x) \bar{x}] + B(\kappa_1 \phi_x - 1)x_t + [C(\kappa_1 \phi_z - 1) + 1]z_t \\ &= [\kappa_0 + (\kappa_1 - 1)A + g + \kappa_1 B(1 - \phi_x) \bar{x}] + B(\kappa_1 \phi_x - 1)x_t. \end{aligned}$$

Note that the coefficient on  $z_t$  equals zero because  $C = \frac{1}{1 - \kappa_1 \phi_z}$ .

## Appendix II: Asymmetric Predictability

In this section, we study conditional return predictability. We find that predictability is asymmetric – stronger following a down market (Table 8). The results hold outside the U.S. (Figure 5). We evaluate related theories that imply asymmetric predictability in Table 9.

### II.1: Asymmetric return predictability: evidence

**Conditional return prediction.** We decompose  $pr_t$  into two components,  $pr_t \times I_{\{r_{t-12,t} < r_{t-12,t}^f\}}$  and  $pr_t \times I_{\{r_{t-12,t} \geq r_{t-12,t}^f\}}$ , depending on whether the cumulative market return in the past

Table 8: Conditional Return Prediction

This table reports the results of conditional return prediction. We run regressions monthly. Column (1) and (4) show the results of Equation (22) and (23) respectively (intercept omitted in the table). Column (2) and (5) have only the down-market indicator and the past market excess return respectively. Column (3) and (6) add  $pr_t$  to Column (2) and (5). Coefficient estimates are shown followed by Newey and West (1987) and Hodrick (1992) t-statistics, and the adjusted  $R^2$  is reported in the last row.

	(1)	(2)	(3)	(4)	(5)	(6)
$I_{\{r_{t-12,t} < r_{t-12,t}^f\}} \times pr_t$	-0.180					
Newey-West t	(-3.810)					
Hodrick t	[-2.977]					
$I_{\{r_{t-12,t} \geq r_{t-12,t}^f\}} \times pr_t$	-0.108					
	(-2.981)					
	[-1.751]					
$I_{\{r_{t-12,t} < r_{t-12,t}^f\}}$	0.257	-0.038	-0.031			
	(1.000)	(-0.750)	(-0.901)			
	[0.987]	[-0.670]	[-0.558]			
$pr_t$			-0.137	-0.140		-0.137
			(-5.005)	(-5.496)		(-4.949)
			[-2.735]	[-2.776]		[-2.739]
$(r_{t-12,t} - r_{t-12,t}^f) \times pr_t$				0.269		
				(1.462)		
				[1.099]		
$r_{t-12,t} - r_{t-12,t}^f$				-1.037	0.083	0.065
				(-1.358)	(0.680)	(0.732)
				[-1.080]	[0.545]	[0.432]
$R^2$	0.261	0.012	0.246	0.264	0.008	0.243

twelve months,  $r_{t-12,t}$ , is below or above the risk-free rate,  $r_{t-12,t}^f$  (one-year zero-coupon bond yield). The return prediction model is now

$$r_{t,t+12} = \alpha + \beta_D pr_t \times I_{\{r_{t-12,t} < r_{t-12,t}^f\}} + \beta_U pr_t \times I_{\{r_{t-12,t} \geq r_{t-12,t}^f\}} + \beta_I I_{\{r_{t-12,t} < r_{t-12,t}^f\}} + \epsilon_{t,t+12}. \quad (22)$$

Thus, the return predictive power of  $pr_t$  following down and up markets are captured by  $\beta_D$  and  $\beta_U$  respectively.

Column (1) of Table 8 reports the regression results. Following a down market,  $pr_t$  strongly predicts the market return at one-year horizon. The predictive power is much weaker following an up market, i.e., when the market outperforms the risk-free benchmark. In fact,  $\beta_D$  is almost twice  $\beta_U$  in both magnitude and the t-statistic. The midpoint between  $\beta_D$  and  $\beta_U$  is very close to the coefficient of  $pr_t$  as a univariate predictor. This decomposition

by the previous market condition reveals a sharp asymmetry in return predictability.

Column (2) and (3) of Table 8 show that the down-market indicator itself does not predict future returns or together with  $pr_t$ . When both the down-market indicator and  $pr_t$  are used as predictors, the predictive coefficient on  $pr_t$  is almost identical to the predictive coefficient in the univariate regression, and the t-statistics and  $R^2$ s are almost identical.

Column (4) of Table 8 reports the results of an alternative specification,

$$r_{t,t+12} = \alpha + \beta pr_t + \rho_0 \left( r_{t-12,t} - r_{t-12,t}^f \right) + \rho_1 \left( r_{t-12,t} - r_{t-12,t}^f \right) \times pr_t + \epsilon_{t,t+12}. \quad (23)$$

Adding the interaction term and the past market excess return only changes the predictive coefficient of  $pr_t$  by very little (in comparison with Table 2), but makes the coefficient more statistically significant. Column (6) shows that adding the lagged market excess return itself also does not significantly change the predictive coefficient of  $pr_t$ , and the lagged market excess return does not forecast the future return.

**Time series momentum and reversal.** The regression of Equation (23) also shows that return autocorrelation depends  $pr_t$ . This is related to the studies on return autocorrelation (Fama and French (1988); Poterba and Summers (1988)) that find positive return autocorrelations at monthly and shorter horizons, and negative autocorrelations at annual and longer horizons. However, the evidence is not without debate (Kim, Nelson, and Startz (1991)).

Unconditional return autocorrelation is not significant at one-year horizon in Column (5). But as suggested by Column (1) and (4) of Table 8, the relation between past and future returns is a function of  $pr_t$ . In Column (4), the autocorrelation coefficient is  $\rho_0 + \rho_1 pr_t$ . With the mean of  $pr_t$  equal to 3.992 (Table 1), the average of return autocorrelation coefficient is only 0.037. When  $pr_t$  is one-standard deviation above, the autocorrelation increases from 0.037 to 0.180, showing momentum. When  $pr_t$  is one-standard deviation below, the autocorrelation is  $-0.106$ , showing reversal. Campbell, Grossman, and Wang (1993) find that daily return autocorrelation depends on volume. Huang, Jiang, Tu, and Zhou

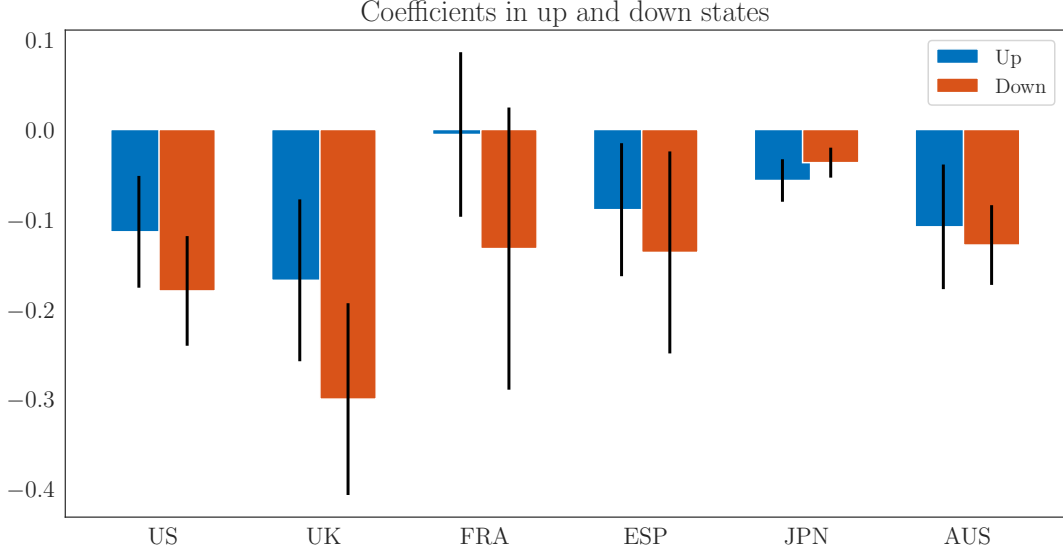


Figure 5: **Conditional Predictability across Countries.** Figure 5 reports the results of conditional prediction (regression of Equation (22)) for different countries. The candle graph shows the estimates of  $\beta_D$  (red) and  $\beta_U$  (blue) together with the one Hodrick (1992) standard error band.

(2017) find that one-year autocorrelation differs in good and bad times.<sup>25</sup> Our results suggest that autocorrelation depends on the relative valuation of long- vs. short-term dividends.

Figure 5 reports the results of conditional prediction (Equation (22)) for different countries. The candle graph shows the estimates of  $\beta_D$  (red) and  $\beta_U$  (blue) with one Hodrick (1992) standard error band. It is clear that except Japan, the return predictive power of  $pr_t$  is stronger following down markets. Table 12 in the appendix reports detailed results.

Our finding of asymmetric return predictability is related to the evidence on stronger return predictive power of other variables (e.g., the price-dividend ratio) during downturns.<sup>26</sup> Henkel, Martin, and Nardari (2011) show that the return predictive power of price-dividend ratio and short rate (Ang and Bekaert (2007)) appear non-existent during business cycle expansions but sizable during contractions. Considering a combination of predictors, Rapach, Strauss, and Zhou (2010) find that during recessions, the return is more predictable. Dangl

<sup>25</sup>Moskowitz, Ooi, and Pedersen (2012) study time-series momentum in futures market.

<sup>26</sup>Cujean and Hasler (2017) build an equilibrium model with counter-cyclical investors' disagreement to explain why stock return predictability is concentrated in bad times.

and Halling (2012) propose a dynamic prediction model with a time-varying coefficient to account for conditional predictability. Farmer, Schmidt, and Timmermann (2018) find return predictability is concentrated in several short periods.

## II.2: Asymmetric return predictability: related theories

Two theories based on financial intermediation (He and Krishnamurthy (2013)) and behavioral bias (Barberis, Huang, and Santos (2001)) produce asymmetry in return predictability.

**Intermediary asset pricing.** Panel A of Figure 12 in Appendix II.3 is from He and Krishnamurthy (2013). It plots the risk premium against the state variable, which is financial intermediaries’ share of aggregate wealth. He and Krishnamurthy (2013) model intermediaries as agents with exclusive access to risky assets. They manage wealth for the rest of economy (“households”), but their capacity depends on their wealth due to a typical agency friction. When intermediaries are rich, their capacity is sufficient and the risk premium moves with the *aggregate* wealth, showing little variation. When intermediaries are poor, the capacity constraint binds and the risk premium varies with intermediaries’ wealth, fluctuating widely. The asymmetry of risk-premium variation implies asymmetric predictability.

Related, our down-market indicator is motivated by the observation of Benartzi and Thaler (1995) that investors tend to evaluate fund performances annually because they receive most comprehensive reports once a year.

**Prospect theory.** Panel B of Figure 12 is from Barberis, Huang, and Santos (2001). Their model is built upon two ideas. First, investors are loss-averse (Kahneman and Tversky (1979)). Gains and losses are defined with the risk-free rate as a benchmark. Second, the degree of loss aversion depends on prior gains and losses against a reference point (Thaler and Johnson (1990)). Panel B of Figure 12 shows that the expected return barely moves when  $z_t$  is below one.  $z_t$  reflects prior losses (if  $< 1$ ) or gains (if  $> 1$ ). Only after prior losses, the expected return exhibits large variation. This implies asymmetric predictability.

Table 9: Evaluating Related Theories

This table reports the results of annual return prediction conditioning on three variables: the past twelve-month market excess return, the intermediary net worth  $\eta_t$  in He, Kelly, and Manela (2017) (whose sample ends in 2012), and  $z_t$  constructed following Barberis, Huang, and Santos (2001). We construct negative and positive indicator variables by comparing these three conditioning variable with zero, average, and one (as suggested by the theory) respectively. The specifications of Column (1) to (3) have the interaction terms between indicator variables and  $pr_t$ , the negative indicator variable, and the intercept (omitted in the table). The specifications of Column (4) to (6) have the negative indicator variables and the intercept (omitted in the table). For each right-hand side variable, the coefficient estimate is shown followed by Newey and West (1987) and Hodrick (1992) t-statistics. For each specification, the adjusted  $R^2$  is reported in the last row.

	$r_{t-12,t} - r_{t-12,t}^f$	$\eta_t - \bar{\eta}_t$	$z - 1$	$r_{t-12,t} - r_{t-12,t}^f$	$\eta_t - \bar{\eta}_t$	$z - 1$
Negative $\times pr_t$	-0.180	-0.247	-0.195			
Newey-West $t$	(-3.810)	(-2.340)	(-5.221)			
Hodrick $t$	[-2.977]	[-2.101]	[-2.990]			
Positive $\times pr_t$	-0.108	-0.152	-0.101			
	(-2.981)	(-4.549)	(-3.133)			
	[-1.751]	[-2.111]	[-1.714]			
Negative	0.257	0.279	0.382	-0.038	0.023	0.020
	(1.000)	(0.697)	(2.240)	(-0.750)	(0.473)	(0.541)
	[0.987]	[0.549]	[1.296]	[-0.670]	[0.455]	[0.441]
$R^2$	0.261	0.314	0.265	0.012	0.006	0.004

**Evaluating related theories.** Table 9 compares our results of conditional return prediction with those from specifications suggested by He and Krishnamurthy (2013) and Barberis, Huang, and Santos (2001). For each model, we construct negative and positive indicator variables by comparing the conditioning variable with a benchmark value, which is zero for our past excess return, average ( $\bar{\eta}$ ) for intermediary capital of He, Kelly, and Manela (2017), and one for  $z_t$  of Barberis, Huang, and Santos (2001). Column (1) and (4) repeat the results in Column (1) and (2) in Table 8.

Empirical models implied by He and Krishnamurthy (2013) and Barberis, Huang, and Santos (2001) produce results similar to our model using the past excess return as conditioning variable. The predictive coefficients in downturns are twice as large. Column (1), (2), and (3) also have adjusted  $R^2$  of similar magnitude. However, both theories imply that the negative indicator itself should also predict returns, which is not the case in data. This again suggests that while different theories may capture particular sources of expected

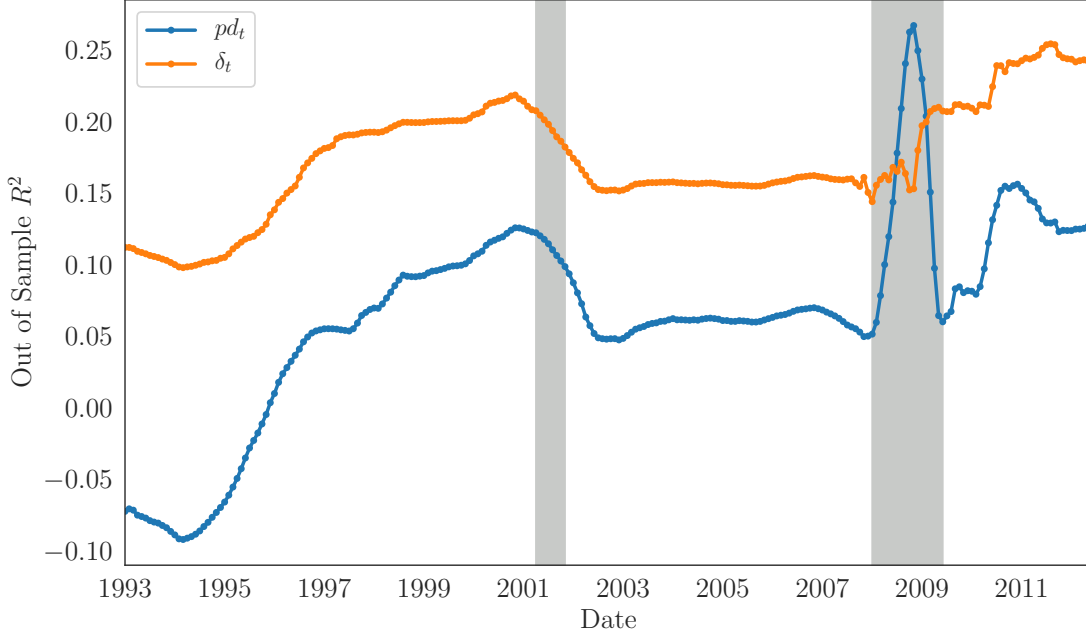


Figure 6: **Out-of-sample  $R^2$  by Sample Split Date.** This graph reports out-of-sample  $R^2$  with different sample split dates of 1-year return prediction. The first and last out-of-sample split date are Jan 1993 and Jun 2012 respectively.

return variation,  $pr_t$  is more of a composite statistic.

## Appendix III: Additional Results

### III.1 Alternative out-of-sample sample splits

In the main text, we report out-of-sample forecasting tests based on a 1988 sample split date, but recent forecast literature suggests that sample splits themselves can be data-mined (see [Hansen and Timmermann \(2012\)](#) and [Rossi and Inoue \(2012\)](#)). To demonstrate the robustness of out-of-sample forecasts to alternative sample splits, Figure 6 plots out-of-sample annual return predictive  $R^2$  as a function of the sample split for a variety of predictors. We consider a sample split as early as 1993. The latest split we consider is Jun 2012 (5-year prior to the end of our sample), which uses a 24.5-year training sample.



Table 10: One-month Return Prediction

This table reports the results of predictive regression (Equation (8)). The left-hand side variable is the return of S&P 500 index in the next month. We consider four the right-hand side variables (i.e., predictors),  $pr_t$ ,  $pd_t$ ,  $\epsilon_t^{pr}$ , and  $\epsilon_t^{pd}$ , and the results are reported in Column (1) to (4) respectively. The  $\beta$  estimate is shown followed by Hodrick (1992) t-statistic and the in-sample adjusted  $R^2$ . We run the regression monthly. Starting from December 1997, we form out-of-sample forecasts of return in the next month by estimating the regression with data only up to the current month, and use the forecasts to calculate out-of-sample  $R^2$ . ENC statistic (Clark and McCracken (2001)), and the p-value of CW statistic (Clark and West (2007)).

	$pr_t$	$pd_t$	$\epsilon_t^{pr}$	$\epsilon_t^{pd}$
$\beta$	-0.010	-0.015	-0.011	0.004
<i>Hodrick t</i>	[-2.197]	[-2.006]	[-0.959]	[0.215]
$R^2$	0.017	0.014	0.005	0.000
OOS $R^2$	0.009	0.007	-0.009	-0.012
$p(ENC)$	< 0.10	< 0.10	> 0.10	> 0.10
$p(CW)$	0.078	0.129	0.427	0.170

For early sample splits, say 1994, the training (i.e., estimation) sample is relatively short, so the precision of coefficient estimate is poor, which contributes to the low out-of-sample  $R^2$  that we see in the early years. As the sample split date progresses, the estimation sample extends, and the evaluation sample starts to exclude more data from earlier dates in the calculation of out-of-sample  $R^2$ . Excluding the dotcom burst, i.e., out-of-sample split starting 2002 or later, leads to a relatively low  $R^2$  for both  $pr_t$  and  $pd_t$ , suggesting that both predictors perform well during the dotcom burst. Using data starting from the 2007-09 crisis,  $pd_t$  delivers a higher out-of-sample  $R^2$  than  $pr_t$ . The reason is that its denominator, i.e., the rolling sum of dividends, reacts to the crisis sluggishly, so the decrease of  $pd_t$  is larger than the decrease of  $pr_t$  throughout the crisis, coinciding with the slump of market return. After the financial crisis,  $pr_t$  outperforms  $pd_t$  out-of-sample.

### III.2 Monthly return prediction

Table 10 reports the results. The predictive coefficient is large in magnitude and statistically significant. A decrease of  $pr_t$  by one standard deviation adds 0.53% to the expected monthly return (annualized to 6.55%). The out-of-sample  $R^2$  of 0.9% implies a large investment

gain for those who rebalance portfolio monthly and use  $pr_t$  to time the market. For a mean-variance investor, [Campbell and Thompson \(2008\)](#) show that in comparison with a buy-and-hold strategy, the proportional increase in the expected return from observing  $pr_t$  is  $\left(\frac{R^2}{1-R^2}\right)\left(\frac{1+S^2}{S^2}\right)$ , where  $R^2$  is the out-of-sample  $R^2$  and  $S^2$  is the squared Sharpe ratio of the market. Given a monthly Sharpe ratio of 0.1570 (annualized to 0.544), an out-of-sample  $R^2$  of 0.9% implies a 36.5% proportional increase of expected return from market timing.

The difference in return predictive power between  $pd_t$  and  $pr_t$  is smaller than that at annual horizon.  $pd_t$  has an out-of-sample  $R^2$  of 0.7%, and the residual of  $pr_t$  after projecting on  $pd_t$  does not predict monthly return. Therefore, the additional return predictive power of  $pr_t$  beyond  $pd_t$  is mainly at longer horizons, which, as suggested by our exponential-affine model, is likely due to a declining persistence of expected dividend growth over the horizon.

### III.3 Additional figures

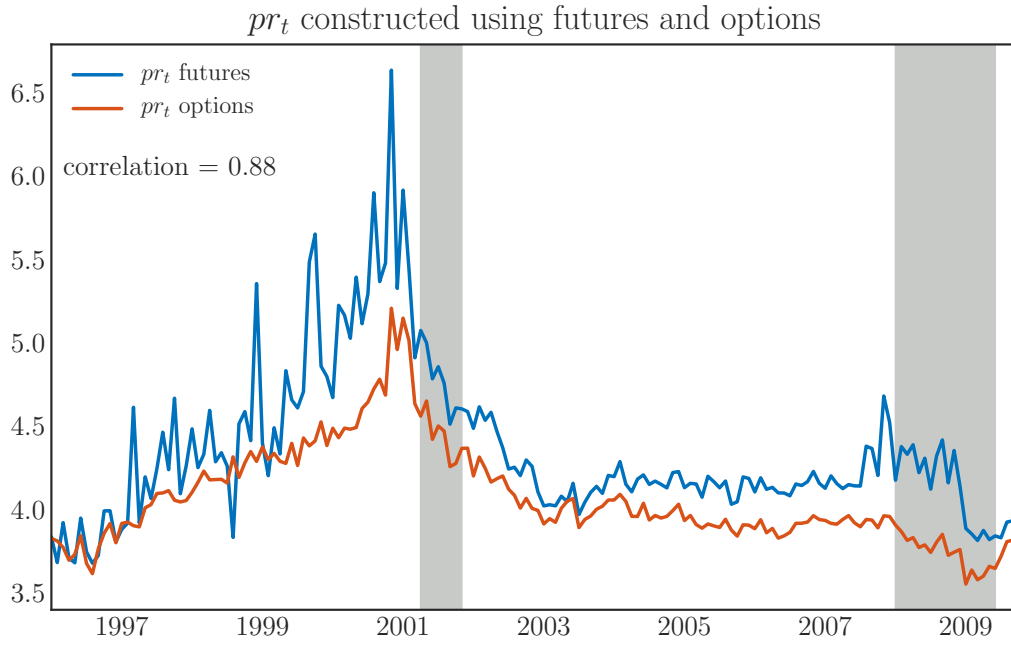


Figure 7:  $pr_t$  from Futures and Option Data. This graph reports  $pr_t$  constructed from futures and option data (from [Binsbergen, Brandt, and Koijen \(2012\)](#) from January 1996 and October 2009).

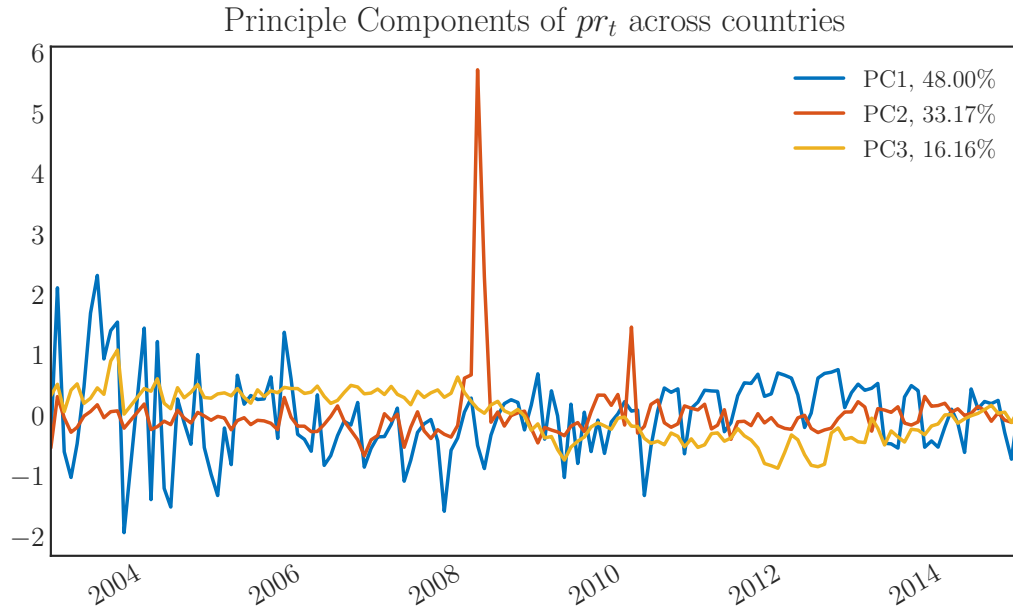


Figure 8: **Principal Components of  $pr_t$  across Countries.** This figure plots the first three principal components of  $pr_t$  in US, UK, France, Spain, Japan and Australia. The legend also reports percentage of variance explained by each principle component.

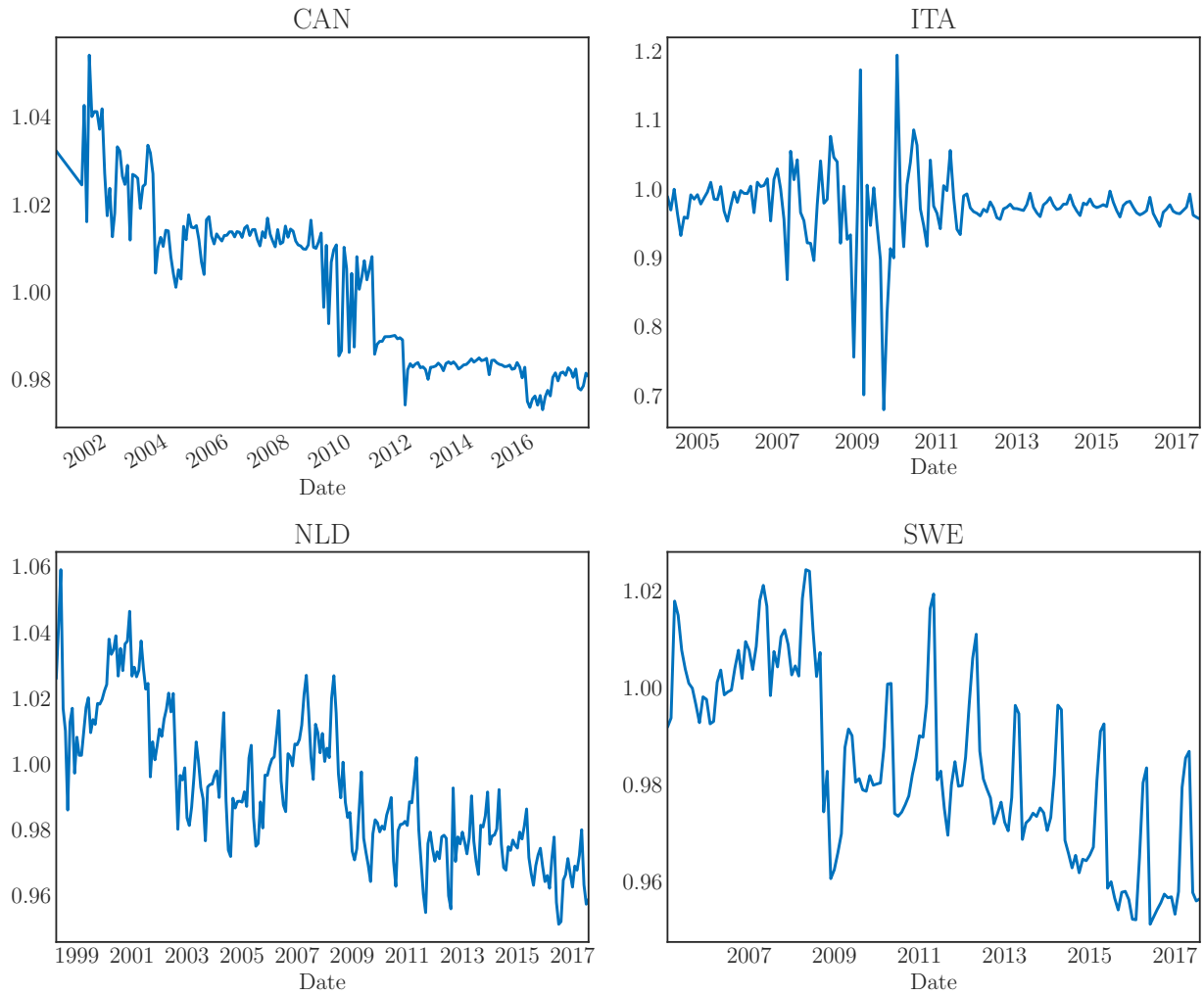


Figure 9: **Futures-to-spot Ratio of International Stock Indices.** This graph plots 1-year futures-to-spot ratio of international stock indices. There are 4 countries: Canada, Italy, Netherlands, and Sweden.

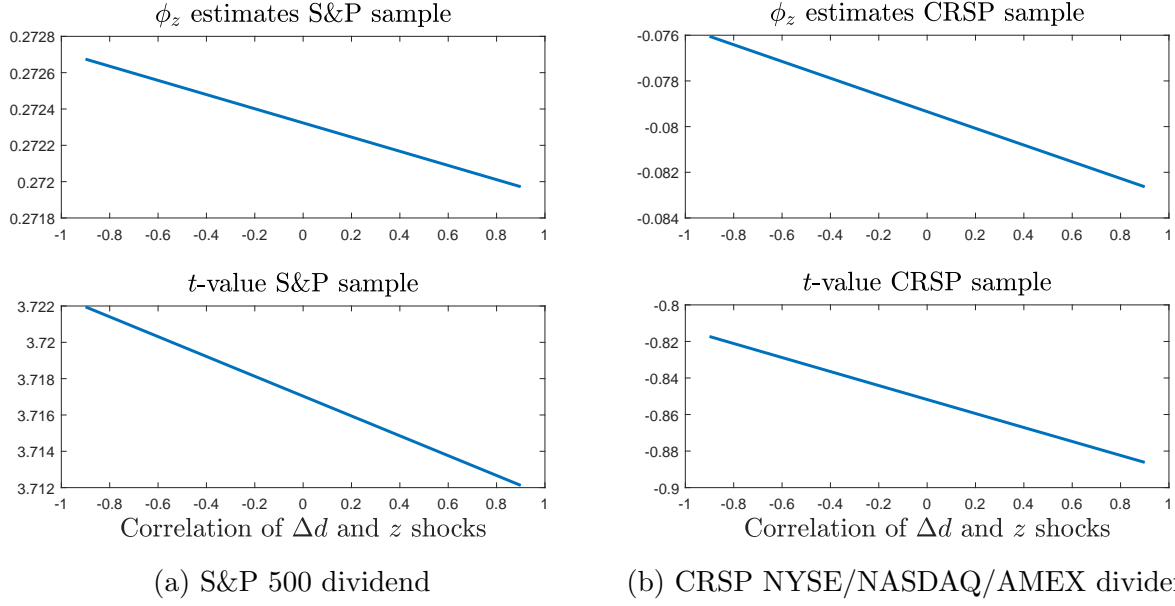


Figure 10:  $\phi_z$  **Estimates from State-Space Model with Correlated Shocks.** This figure reports the expected dividend growth autoregressive coefficient  $\phi_z$  point estimates and  $t$ -values in unrestricted state-space models as in Section 2.4 with different correlations of  $\Delta d$  and  $z$  shocks. The correlations of  $\Delta d$  and  $z$  shocks range from -0.9 to 0.9 and the volatility of  $\Delta d$  shock is calibrated to the estimated  $\hat{\sigma}_D$  from state-space model with uncorrelated shocks. Panel (a) uses annual dividend growth (non-overlapping) of S&P 500 index and Panel (b) uses annual dividend growth (non-overlapping) of CRSP NYSE/AMEX/NASDAQ Cap-Based index.

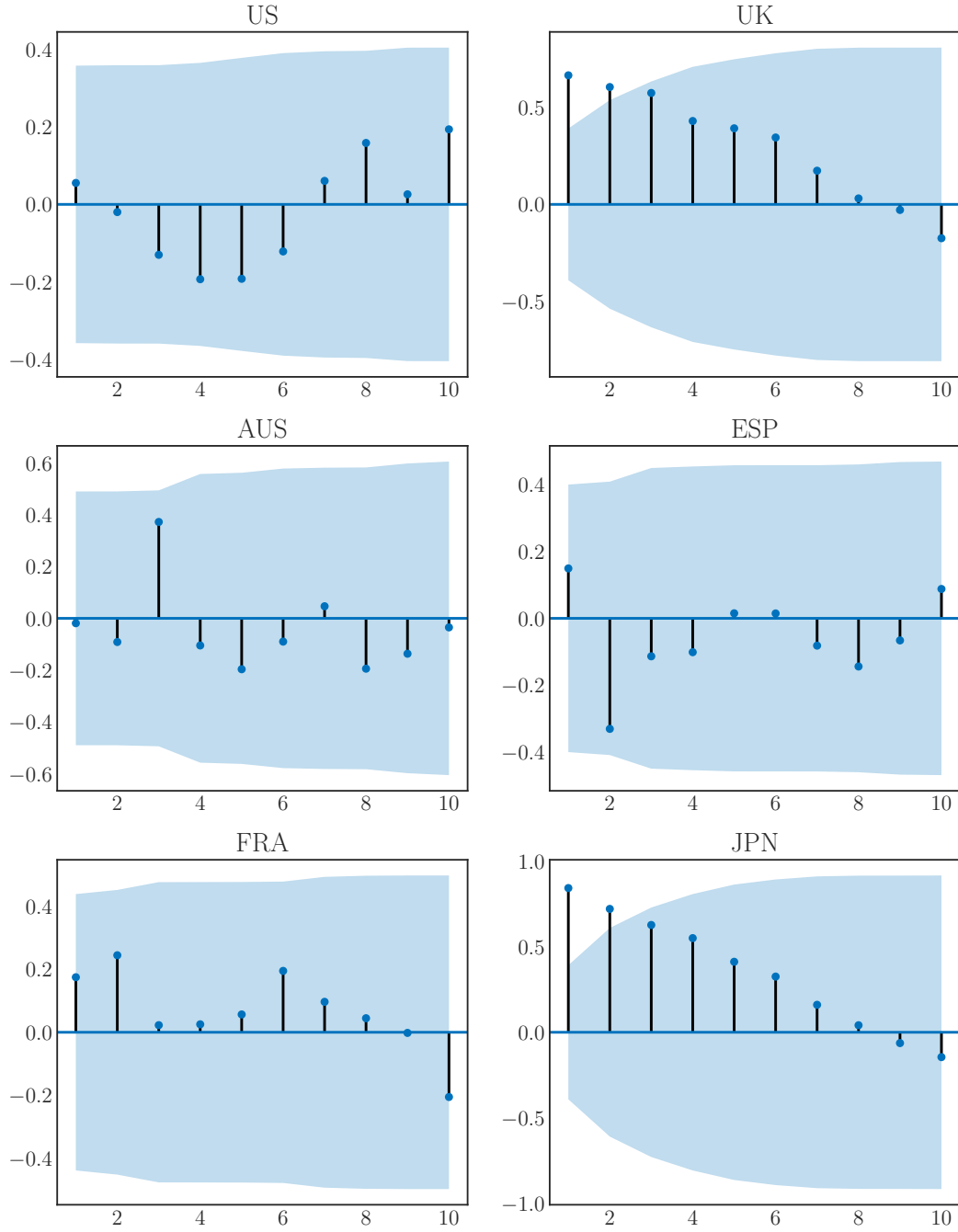
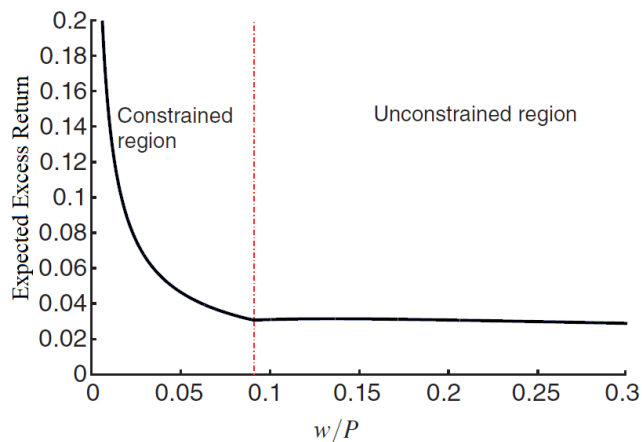
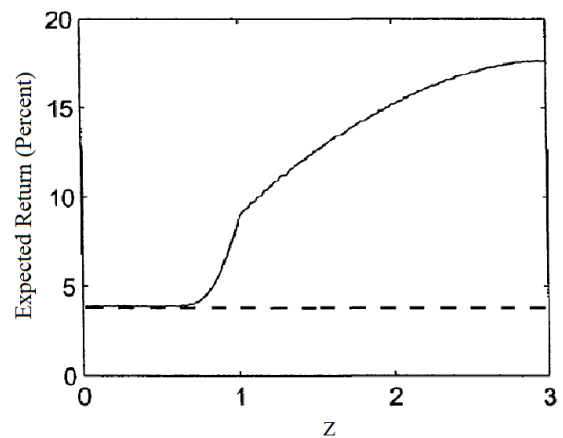


Figure 11: **Autocorrelations of Cash-flow Expectation,  $\epsilon_t^{pd}$ , across Countries.** This graph plots autocorrelations of  $\epsilon_t^{pd}$  at lags from one to ten for the U.S., the U.K., Australia, Spain, France, and Japan, which constitute our international sample for return prediction.

Panel A: Risk Premium and Intermediary Wealth Share



Panel B: Expected Stock Return and Prior Losses



**Figure 12: Expected Return from Asset Pricing Theories.** Panel A is Figure 2 (Panel A) of [He and Krishnamurthy \(2013\)](#). The expected excess return of the risky asset is plotted against intermediaries' share of aggregate wealth. A decline of  $w/P$  means that intermediaries become relatively undercapitalized due to losses. The dashed line splits the region where intermediaries are unconstrained in raising external funds, and the region where intermediaries are constrained in raising external funds because the principal-agent problem cannot be resolved under low net worth of intermediaries. Panel B is Figure VI (Panel A) of [Barberis, Huang, and Santos \(2001\)](#). The expected market return (in percent) is plotted against  $z_t$  that measures prior losses. High values of  $z_t$  mean that the representative investor has accumulated prior losses that increase risk aversion. The dashed line shows the constant risk-free rate.



### III.4 Additional tables

Table 11: Correlations with other common return predictors

This table shows the correlations of alternative return predictors with both  $pr_t$  and  $pd_t$  from 1988 to 2016. Most alternative predictors are from [Goyal and Welch \(2007\)](#) that include the default yield spread (dfy), the inflation rate (infl), stock variance (svar), the cross-section premium (csp), the dividend payout ratio (de), the long-term yield (lty), the term spread (tms), the T-bill rate (tbl), the default return spread (dfr), the dividend yield (dy, log difference between current-period dividend and lagged S&P 500 index price), the long-term rate of return (ltr), the earnings-to-price ratio (ep), the book to market ratio (bm), the investment-to-capital ratio (ik), the net equity expansion ratio (ntis), the percent equity issuing ratio (eqis), and the consumption-wealth-income ratio (cay). SII is the short interests index from [Rapach, Ringgenberg, and Zhou \(2016\)](#) (1988-2014). kp is predictive factor extracted from 100 book-to-market and size portfolios from [Kelly and Pruitt \(2013\)](#). SVIX is option-implied lower bound of 1-year equity premium from [Martin \(2017\)](#) (1996-2012). ZCB1Y is 1-year zero coupon bond yield from Fama-Bliss.

	$pr$	$pd$
$pr$	1.000	0.874
$pd$	0.874	1.000
bm	-0.790	-0.827
tbl	-0.173	-0.199
lty	-0.378	-0.393
ntis	-0.041	0.134
infl	-0.108	-0.073
ltr	0.005	-0.042
svar	0.161	-0.041
csp	0.355	0.427
cay	-0.384	-0.381
ik	0.616	0.631
ep	-0.554	-0.442
de	-0.247	-0.472
dfy	-0.067	-0.284
dfr	-0.031	-0.012
tms	-0.241	-0.214
dy	-0.883	-0.989
SII	0.047	-0.047
kp	-0.728	-0.642
SVIX	0.047	-0.295
ZCB1Y	-0.205	-0.215

Table 12: Country-by-country unconditional and conditional return predictions

This table reports the results of international country-by-country return predictions for US, UK, France, Spain, Japan and Australia. Panel A and B tabulate the results of unconditional (Equation (8)) and conditional (Equation (22)) return predictions respectively for each country. The coefficients estimates are followed by [Newey and West \(1987\)](#) t-statistic (with 18 lags) and [Hodrick \(1992\)](#) t-statistic. Intercept estimates are untabulated.

	US	UK	FRA	ESP	JPN	AUS
Panel A: Unconditional predictions						
$pr_t$	-0.138	-0.195	-0.050	-0.093	-0.040	-0.123
<i>Newey-West t</i>	(-4.719)	(-2.613)	(-0.889)	(-1.837)	(-2.520)	(-9.938)
<i>Hodrick t</i>	[-2.743]	[-2.475]	[-0.790]	[-1.275]	[-3.081]	[-2.792]
Obs	344	280	203	261	272	167
$R^2$	0.238	0.127	0.009	0.054	0.027	0.152
Panel B: Conditional predictions						
$I_{\{r_{t-12,t} < r_{t-12,t}^f\}}$	-0.012	-0.051	-0.086	-0.102	-0.097	0.020
	(-0.398)	(-1.149)	(-1.156)	(-1.684)	(-1.211)	(0.528)
	[-0.249]	[-0.919]	[-1.026]	[-1.434]	[-1.258]	[0.365]
$I_{\{r_{t-12,t} < r_{t-12,t}^f\}} \times pr_t$	-0.109	-0.078	-0.055	-0.075	-0.035	-0.066
	(-3.828)	(-5.265)	(-0.767)	(-2.588)	(-2.120)	(-9.371)
	[-2.949]	[-2.821]	[-0.856]	[-1.208]	[-2.782]	[-2.904]
$I_{\{r_{t-12,t} > r_{t-12,t}^f\}} \times pr_t$	-0.069	-0.044	-0.002	-0.049	-0.056	-0.053
	(-3.145)	(-2.102)	(-0.825)	(-1.424)	(-2.537)	(-1.400)
	[-1.829]	[-1.866]	[-0.573]	[-1.196]	[-2.600]	[-1.553]
Obs	344	280	203	261	272	167
$R^2$	0.255	0.162	0.058	0.102	0.066	0.156

Table 13: Risk Prices – AR(1) Shocks

This table reports the price of market risk and  $pr$  risk estimated using Fama-MacBeth method and Generalized Method of Moments (GMM). We use the two-stage GMM estimator with efficient weight matrix.  $pr_t$  shock is measured by AR(1) residual ( $v_t^{pr}$ ) estimated using the full sample. The full asset universe (“All”) includes the twenty five Fama-French portfolios (sorted by size and book-to-market ratio), ten momentum portfolios, ten investment portfolios, and ten profitability portfolios. We also estimate  $pr$  risk price using twenty five value-size, momentum-size, investment-size, and profitability-size portfolios. The data of monthly portfolio returns are from Kenneth R. French’s website. Each column corresponds to one set of assets. Each estimated price of risk is followed by the t-statistic in parenthesis. \*, \*\*, and \*\*\* denote 5%, 2%, and 1% level of statistical significance respectively. We also report mean absolute pricing error (MAPE) and  $R^2$ .

	All (1)	Fama-French 25 (2)	Momentum 25 (3)	Investment 25 (4)	Profitability 25 (5)
<b>Fama-MacBeth</b>					
$v_t^{pr}$	-0.202*** (-4.067)	-0.203* (-2.203)	-0.382*** (-3.764)	0.099 (1.686)	-0.108 (-1.751)
$r_t - r_t^f$	0.009*** (4.130)	0.010*** (4.147)	0.010*** (4.000)	0.010*** (4.207)	0.010*** (4.103)
MAPE	0.206%	0.184%	0.238%	0.218%	0.241%
$R^2$	0.639	0.665	0.710	0.678	0.694
<b>GMM</b>					
$v_t^{pr}$	-0.343*** (-8.770)	-1.096*** (-3.366)	-0.312*** (-5.493)	4.840 (0.606)	-0.064* (-2.312)
$r_t - r_t^f$	0.010*** (4.971)	0.009*** (3.711)	0.010*** (4.471)	0.010* (2.002)	0.013*** (5.839)
MAPE	0.088%	0.047%	0.071%	0.071%	0.156%
$R^2$	0.730	0.678	0.667	0.720	0.726

Table 14: The Correlations Between  $pr$  Shocks and U.S. Stock Market Factors

This table documents the correlations between  $pr_t$  shocks and market excess return, size factor (SMB), value factor (HML), profitability factor (RMW), investment factor (CMA), and momentum factor. The factor returns are obtain from Kenneth R. French's website. We consider two versions of  $pr_t$  shocks, the first difference ( $\Delta pr_t$ ) and AR(1) residual ( $v_t^{pr}$ ) estimated using full sample.

	Mkt-RF	SMB	HML	RMW	CMA	Momentum
$\Delta pr_t$	0.104	-0.019	-0.052	-0.057	-0.062	-0.127
$v_t^{pr}$	0.081	-0.006	-0.031	-0.034	-0.035	-0.113

Table 15: State-Space Model of Aggregate Dividends

This table reports the estimation results of (1) unrestricted state-space model in Section 2.4, (2) restricted state-space model (i.e.,  $\phi_z = 0$ ), and for comparison, (3) MA(1) model ( $\Delta d_{t+1} = g + \sigma_D \varepsilon_{t+1} + \rho \sigma_D \varepsilon_t$ ), and (4) AR(1) model ( $\Delta d_{t+1} = g + \gamma \Delta d_t + \sigma_D \varepsilon_{t+1}$ ) of the aggregate dividend growth series. Panel A uses annual dividend growth (non-overlapping) of S&P 500 index and Panel B uses annual dividend growth (non-overlapping) of CRSP NYSE/AMEX/NASDAQ Cap-Based index (i.e., the annual growth of total cash payment to shareholders in the U.S. stock market). Log likelihood (“LogL”), AIC, and BIC are reported. t-stats are in the squared bracket.

	$\hat{\phi}_z$	$\hat{g}$	$\hat{\sigma}_d$	$\hat{\sigma}_z$	$\hat{\rho}$	$\hat{\gamma}$	LogL	AIC	BIC
Panel A: S&P 500 dividend									
Unrestricted	0.27 [1.29]	0.04 [3.19]	0.00 [0.00]	0.12 [2.33]			106.35	-201.31	-189.40
Restricted		0.04 [4.34]	0.09 [0.21]	0.09 [0.21]			100.76	-195.51	-186.5
MA(1)		0.04 [3.28]	0.11 [15.04]		0.39 [5.78]		109.02	-212.04	-203.1
AR(1)		0.03 [3.21]	0.12 [15.30]			0.28 [3.77]	106.42	-206.84	-197.91
Panel B: CRSP NYSE/AMEX/NASDAQ dividend									
Unrestricted	-0.08 [-0.06]	0.06 [3.86]	0.00 [0.00]	0.15 [0.12]			43.96	-79.92	-69.8
Restricted		0.06 [3.62]	0.11 [0.10]	0.11 [0.10]			43.67	-81.34	-73.8
MA(1)		0.06 [3.94]	0.15 [6.99]		-0.09 [-1.02]		44.00	-82.00	-74.4
AR(1)		0.06 [3.89]	0.15 [6.98]			-0.08 [-0.87]	43.96	-81.93	-74.39

Table 16: [Kostakis, Magdalinos, and Stamatogiannis \(2015\)](#) IVX-Wald Test

This table reports test results on the predictive coefficient  $\beta$  in Table (2). IVX-Wald is the Wald statistic from [Kostakis, Magdalinos, and Stamatogiannis \(2015\)](#) to test  $H_0 : \beta = 0$  against  $H_1 : \beta \neq 0$ . The test is designed to be robust to the persistence of predictor. \*, \*\*, and \*\*\* indicate significance at the 10%, 5%, and 1% levels, respectively.

	$pr_t$	$pd_t$	$\epsilon_t^{pr}$	$\epsilon_t^{pd}$
IVX-Wald	8.08***	1.67	5.55**	0.86

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